

Measurement of CKM matrix element $|V_{cb}|$ in $t\bar{t}$ decays with the ATLAS detector

[arxiv:2603.16414](https://arxiv.org/abs/2603.16414) (accepted by JHEP)

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OF WARWICK**



Outline

- **CKM matrix and new $|V_{cb}|$ extraction**
- **Top-quark physics in ATLAS**
 - Some recent results
- **Measurement of $|V_{cb}|$ using top-quark events with ATLAS**
 - Challenges
 - Analysis setup
 - Results
- **Conclusion and Outlook**

1963

UNITARY SYMMETRY AND LEPTONIC DECAYS

Nicola Cabibbo
CERN, Geneva, Switzerland
(Received 29 April 1963)

(3) J_μ has "unit length," i. e., $a^2 + b^2 = 1$
We then rewrite J_μ as⁴

$$J_\mu = \cos\theta(j_\mu^{(0)} + g_\mu^{(0)}) + \sin\theta(j_\mu^{(1)} + g_\mu^{(1)}), \quad (2)$$

where $\tan\theta = b/a$. Since J_μ , as well as the baryons and the pseudoscalar mesons, belongs to the octet representation of SU_3 , we have relations (in which θ enters as a parameter) between processes with $\Delta S = 0$ and processes with $\Delta S = 1$.

To determine θ , let us compare the rates for $K^+ \rightarrow \mu^+ + \nu$ and $\pi^+ \rightarrow \mu^+ + \nu$; we find

$$\begin{aligned} & \Gamma(K^+ \rightarrow \mu\nu) / \Gamma(\pi^+ \rightarrow \mu\nu) \\ &= \tan^2\theta M_K^2 (1 - M_\mu^2/M_K^2)^2 / M_\pi^2 (1 - M_\mu^2/M_\pi^2)^2. \end{aligned} \quad (3)$$

From the experimental data, we then get^{5,6}

$$\theta = 0.257. \quad (4)$$

1973

Progress of Theoretical Physics, Vol. 49, No. 2, February 1973

CP-Violation in the Renormalizable Theory of Weak Interaction

Makoto KOBAYASHI and Toshihide MASKAWA

Department of Physics, Kyoto University, Kyoto

(Received September 1, 1972)

Next we consider a 6-plet model, another interesting model of CP -violation. Suppose that 6-plet with charges $(Q, Q, Q, Q-1, Q-1, Q-1)$ is decomposed into $SU_{\text{weak}}(2)$ multiplets as $2+2+2$ and $1+1+1+1+1+1$ for left and right components, respectively. Just as the case of (A, C) , we have a similar expression for the charged weak current with a 3×3 instead of 2×2 unitary matrix in Eq. (5). As was pointed out, in this case we cannot absorb all phases of matrix elements into the phase convention and can take, for example, the following expression:

$$\begin{pmatrix} \cos\theta_1 & -\sin\theta_1 \cos\theta_3 & -\sin\theta_1 \sin\theta_3 \\ \sin\theta_1 \cos\theta_2 & \cos\theta_1 \cos\theta_2 \cos\theta_3 - \sin\theta_2 \sin\theta_3 e^{i\phi} & \cos\theta_1 \cos\theta_2 \sin\theta_3 + \sin\theta_2 \cos\theta_3 e^{i\phi} \\ \sin\theta_1 \sin\theta_2 & \cos\theta_1 \sin\theta_2 \cos\theta_3 + \cos\theta_2 \sin\theta_3 e^{i\phi} & \cos\theta_1 \sin\theta_2 \sin\theta_3 - \cos\theta_2 \sin\theta_3 e^{i\phi} \end{pmatrix}. \quad (13)$$

Then, we have CP -violating effects through the interference among these different current components. An interesting feature of this model is that the CP -violating effects of lowest order appear only in $\Delta S \neq 0$ non-leptonic processes and in the semi-leptonic decay of neutral strange mesons (we are not concerned with higher states with the new quantum number) and not in the other semi-leptonic, $\Delta S = 0$ non-leptonic and pure-leptonic processes.

Toshihide Maskawa (益川 敏英)

Deciding to finish this work by writing a poor paper and thinking up an excuse, I got out of the bathtub. Probably this may have freed me from sticking to the four quark model. Suddenly, I recognized that it must work well in the six quark model. It was already clear from our many trials and calculations up until then that a complex phase could remain there.



CKM matrix

- Unitary complex matrix that governs quark mixing and CP violation in flavour-changing weak interaction in the Standard Model

$$V_{\text{CKM}} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} = \begin{array}{c} \begin{array}{ccc} & d & s & b \\ u & \blacksquare & \blacksquare & \blacksquare \\ c & \blacksquare & \blacksquare & \blacksquare \\ t & \blacksquare & \blacksquare & \blacksquare \end{array} \end{array}$$

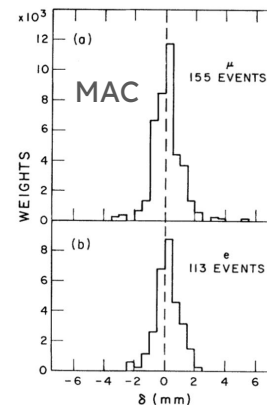
CKM

- Elements must be determined by experiments!

[PDG 2025](#):

$$|V_{\text{CKM}}| = \begin{pmatrix} 0.97435 \pm 0.00016 & 0.22501 \pm 0.00068 & 0.003732^{+0.000090}_{-0.000085} \\ 0.22487 \pm 0.00068 & 0.97349 \pm 0.00016 & 0.04183^{+0.00079}_{-0.00069} \\ 0.00858^{+0.00019}_{-0.00017} & 0.04111^{+0.00077}_{-0.00068} & 0.999118^{+0.000029}_{-0.000034} \end{pmatrix}$$

[1983](#)



$$\tau_b = (1.8 \pm 0.6 \pm 0.4) \times 10^{-12} \text{ sec},$$

where the first error quoted is statistical and the second is systematic. This is the first non-zero result reported for τ_b .

$$\Gamma_b = \frac{1}{\tau_b} \propto \frac{|V_{cb}|^2 G_F^2 m_b^5}{192\pi^3}$$

Translate into $|V_{cb}| \sim 0.04$

CKM matrix

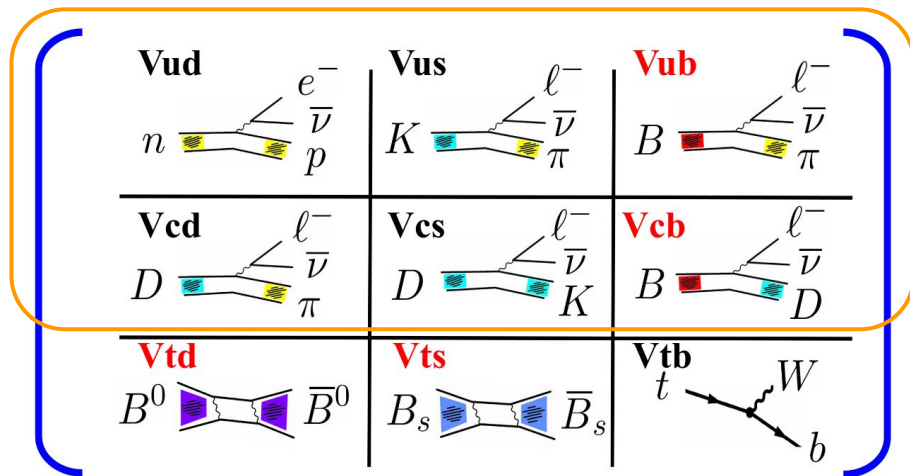


Image credit: [Jolanta Brodzicka](#)

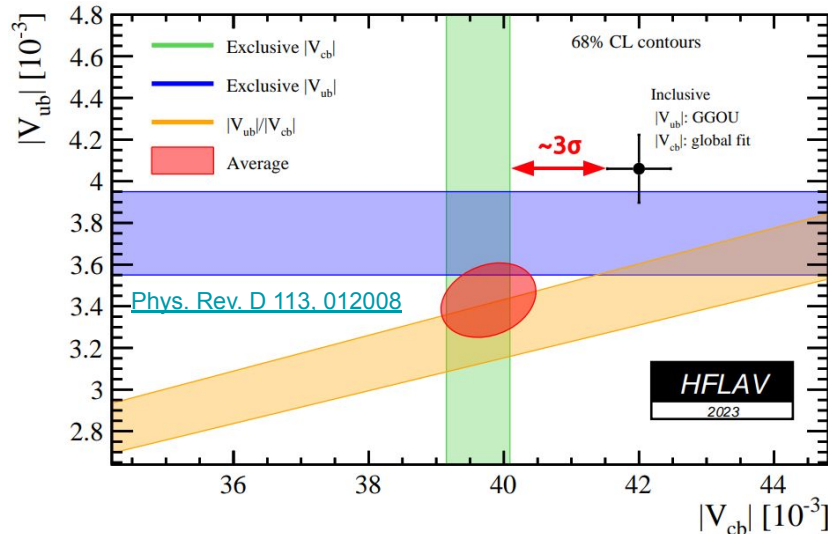
- Most precise measurements so far are made in semileptonic and leptonic decays of hadrons
- Limited by non-perturbative QCD knowledge (decay constants, form factors) which leads to inevitable theoretical uncertainty
- Can we measure them independent of hadrons?
- On-shell W decay! (e.g. LEP2 W→cs)
- What can be done with ATLAS and CMS?

Traditional $|V_{cb}|$ measurements

- $|V_{cb}|$ has so far (> 40 years) only been measured in semileptonic B-hadron decays ($q \sim \text{mb}/2$)
- Persistent 3σ tension between the inclusive and exclusive methods
- Both approaches depend closely on different theoretical inputs.

$$+ \quad |V_{cb}| = (42.2 \pm 0.5) \times 10^{-3} \quad (\text{inclusive})$$

$$\square \quad |V_{cb}| = (39.8 \pm 0.6) \times 10^{-3} \quad (\text{exclusive})$$



$$\text{Decay Rate: } \Gamma \propto |V_{cb}|^2 F$$

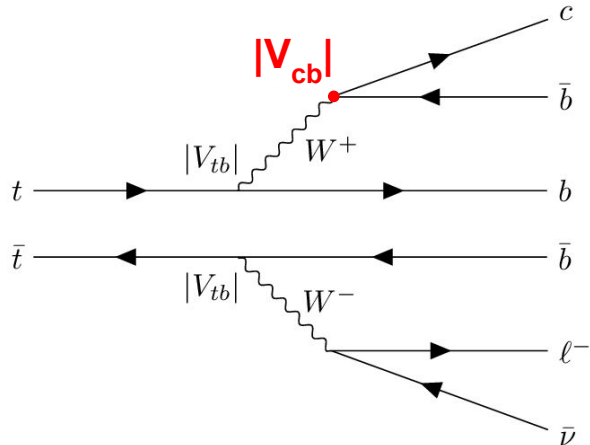
- Inclusive: Decay rate is predicted using Heavy Quark Expansion (HQE). F contains HQE parameters that are extracted from data.
- Exclusive: Decay rate is measured in specific channels; The form factor F 's shape is determined from data, whereas its normalisation relies on lattice calculation.
- (Both approaching 1% uncertainty..)

New $|V_{cb}|$ measurement in on-shell W decays

- Proposal to measure $|V_{cb}|$ in $t\bar{t}$ events: [JHEP01\(2019\)191](#) [P. F. Harrison & V.E. Vladimirov]
- Offers an independent test to the tension in traditional low-energy extractions
 - Complementary approach, different source of uncertainties
- First measurement at weak scale ($q \sim m_W$) using on-shell W boson decays

Probes CKM suppressed $t \rightarrow bW \rightarrow bcb$

$|V_{cb}|$ extracted from the ratio of $W \rightarrow cq$ BFs:



$$|V_{cb}|^2 = \frac{\mathcal{B}(W^+ \rightarrow c\bar{b})}{\mathcal{B}(W^+ \rightarrow c\bar{q})} = \frac{\mathcal{N}(t\bar{t} \rightarrow bc\bar{b} \bar{b}\ell^- \bar{\nu})}{\mathcal{N}(t\bar{t} \rightarrow bc\bar{q} \bar{b}\ell^- \bar{\nu})}^{[*]}$$

$$\approx 1.7 \times 10^{-3}$$

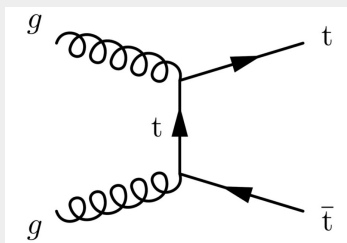
Additional physics potential:

- ☐ Validation of energy scale dependence
- ☐ Any deviation from the world average could indicate new physics

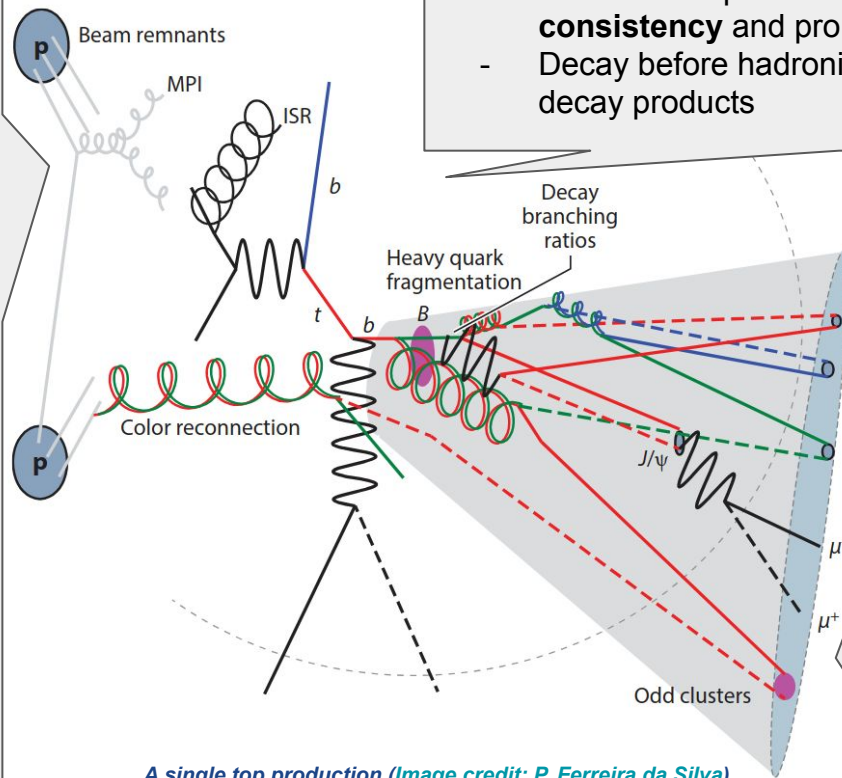
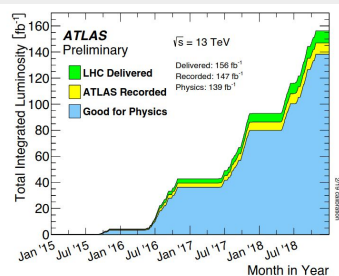
Top-quark physics in ATLAS

Production (QCD):

- Single production ($|V_{tb}|$)
- **Pair production: $t\bar{t}$**
- Associated production



About **100 million $t\bar{t}$** pairs produced in Run 2(3)



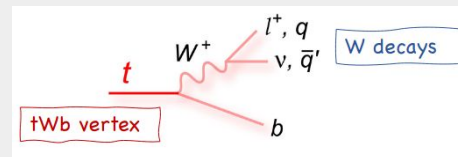
A single top production (Image credit: P. Ferreira da Silva)

Property:

- Heaviest known elementary particle: $m_t \sim 172.5$ GeV, $y_t \sim 1$
- Crucial in loop corrections of SM observables: test **SM consistency** and probe **BSM** phenomena
- Decay before hadronise: momentum and spin preserved in decay products

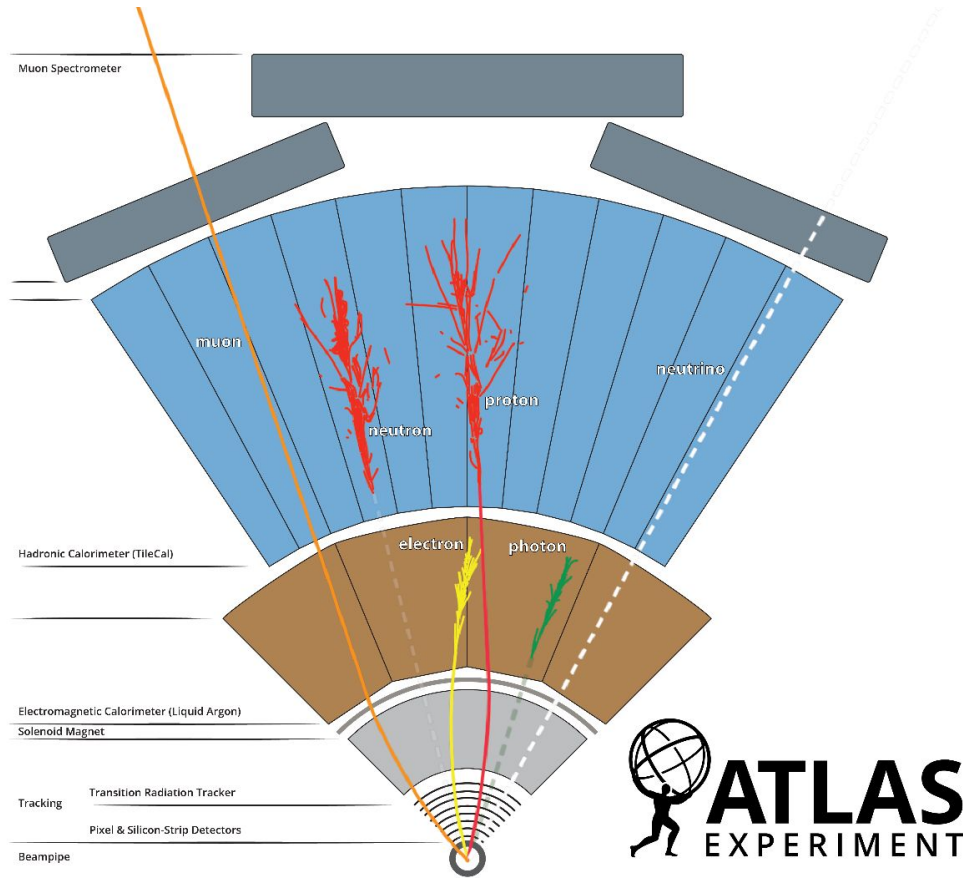
Decay:

- Exclusively decay to **Wb** ($|V_{tb}| \sim 1$)



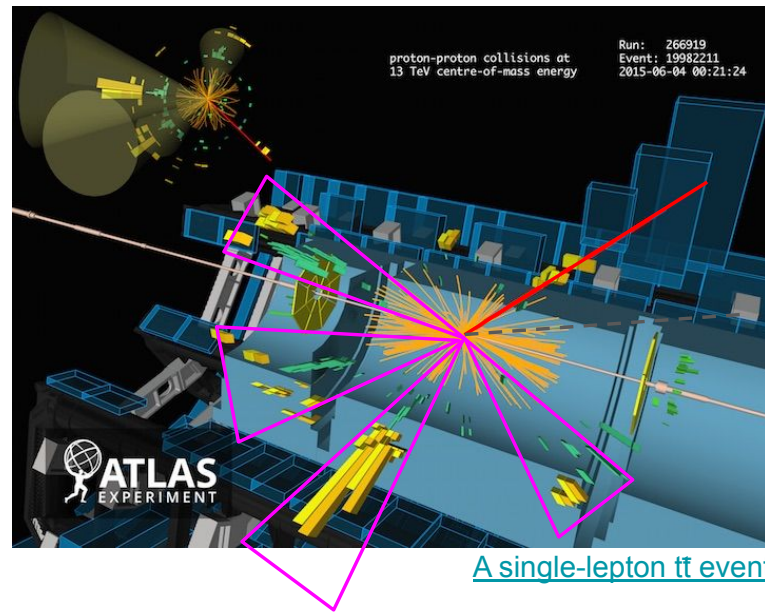
- **$t\bar{t} \rightarrow 1L$ or $2L$** often used (trigger on leptons) for low background levels
- W boson factory..
- Rare/BSM decays (FCNC, ..)

Top-quark analysis in ATLAS



About **40M** single-lepton **$t\bar{t}$** events with Run 2 data:

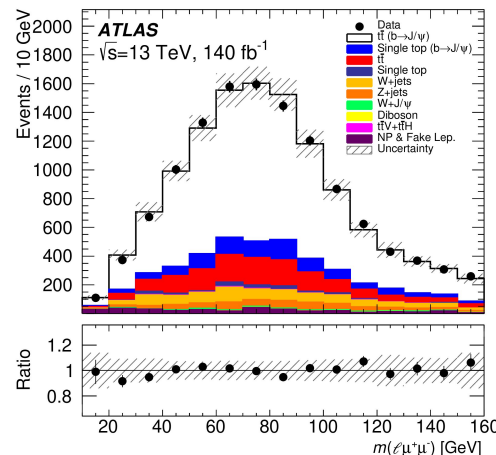
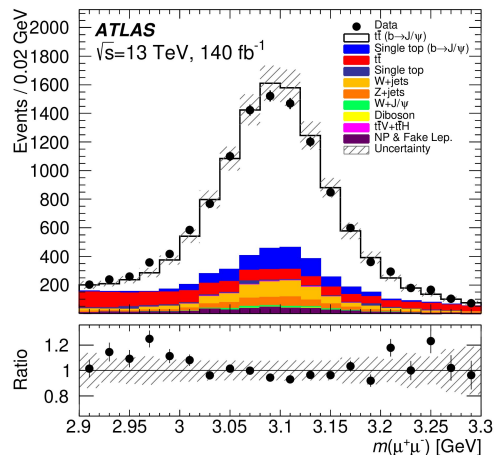
- **Single lepton** events with exactly **4 jets**
- Neutrino appears as missing momentum



Mass measurement using J/ψ

Precision knowledge of m_t is crucial to test the internal consistency of the SM

- Historically limited by Jet Energy Scale (JES) and Resolution (JER) uncertainties
- This analysis uses a specific decay chain: $t \rightarrow (W \rightarrow \ell \nu)$ ($b \rightarrow J/\psi + X \rightarrow \mu\mu + X$) to avoid jet reconstruction and use fully lepton observables
- Main uncertainties are complementary to other analyses: Important for combination!
- Unbinned likelihood fit to $m(\ell\mu\mu)$ distribution using a template technique



Result:

$$172.17 \pm 0.80(\text{stat}) \pm 0.81(\text{syst}) \pm 1.07(\text{recoil}) \text{ GeV}$$

JES+JER unc. drastically reduced (<0.1 GeV)

Dominant component is signal modelling

- Parton shower gluon-recoil scheme
- Parton shower and hadronisation model

Yukawa coupling using $t\bar{t}$

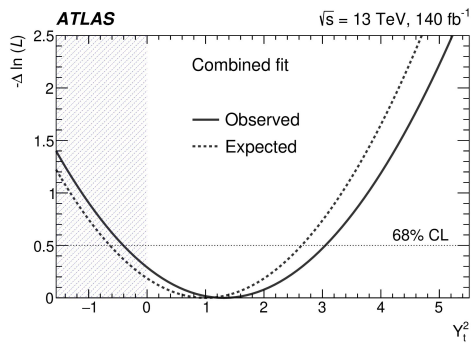
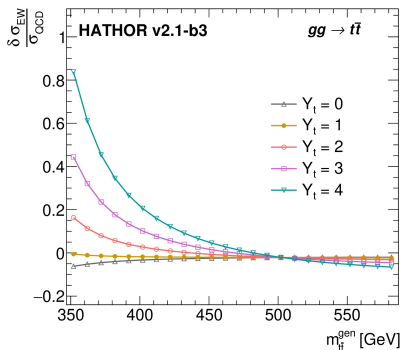
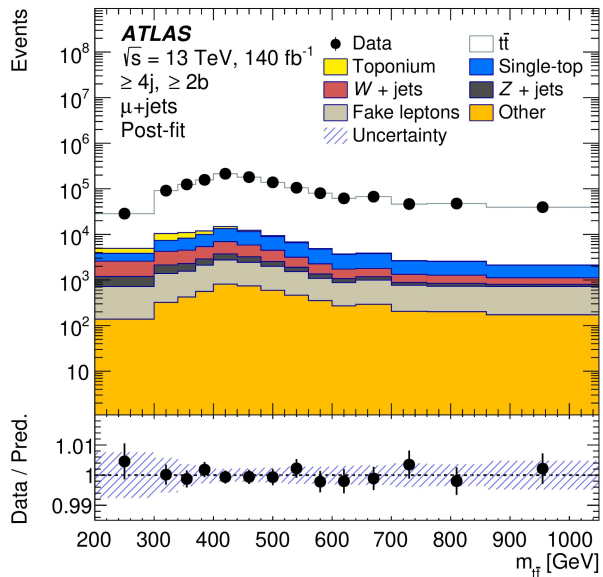
Uniquely large Yukawa coupling

- Extract y_t via virtual EW correction to $t\bar{t}$ production cross section
- This correction is enhanced near $t\bar{t}$ production mass threshold and is proportional to y_t^2
- Highly complementary approach to direct $t\bar{t}H$ extractions

Result: $y_t^2 = 1.3 \pm 1.7$

Dominated by systematic uncertainty (± 1.7 vs ± 0.4 statistical):

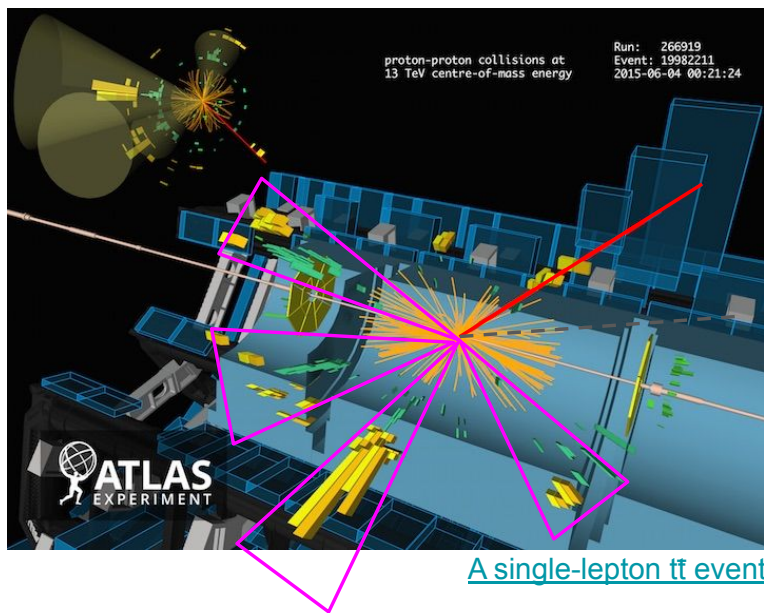
- Signal modelling (± 1.2 , from QCD scales, parton shower and hadronisation, NNLO QCD reweighting)



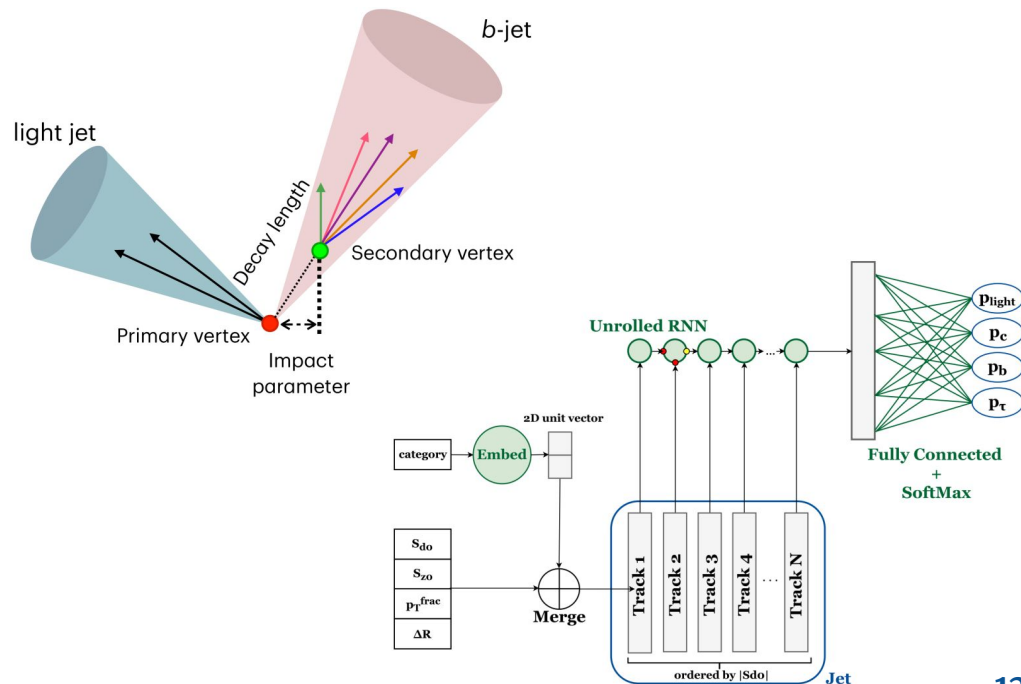
$t\bar{t}$ event in ATLAS detector

Full Run-2 pp dataset (140 fb⁻¹, 2015-2018)

- ~100M $t\bar{t}$ events produced
- ~40M single-lepton events



- Jet flavours identified by flavour tagger (DL1r)
- Combine traditional IP- and vertex-based methods with Recurrent Neural Network (RNN) outputs in a high-level deep NN



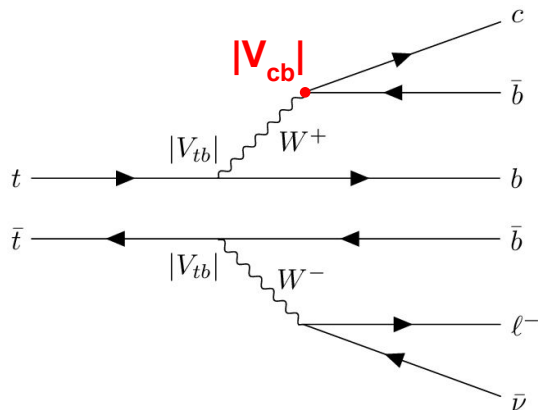
$|V_{cb}|$ event in ATLAS detector

Full Run-2 pp dataset (140 fb⁻¹, 2015-2018)

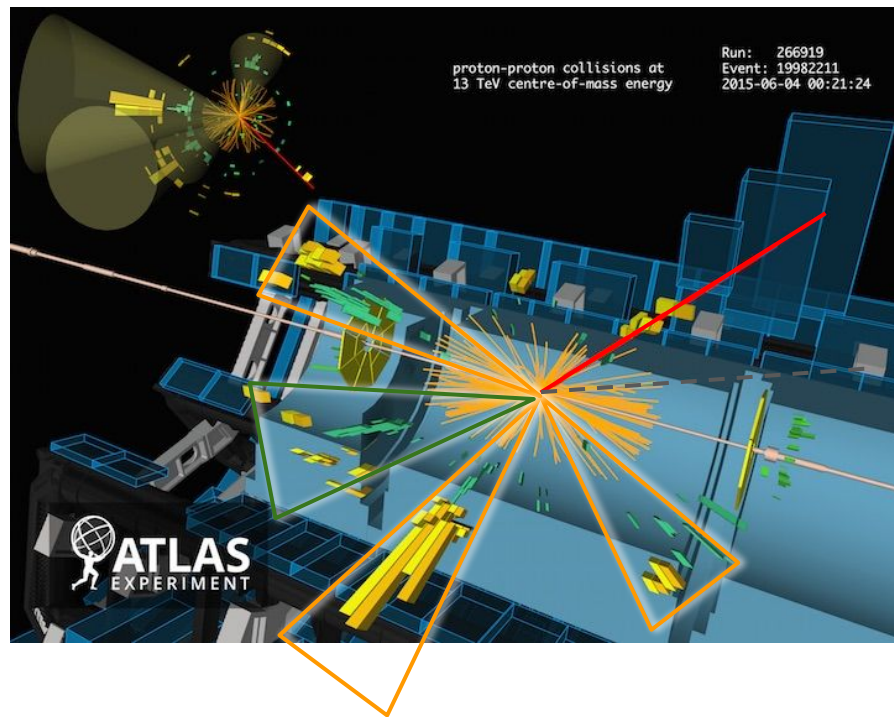
- ~100M $t\bar{t}$ events produced
- ~40M single-lepton events
- **Only ~35K events expected with $|V_{cb}|$**

Event signature:

- Single lepton events with exactly 4 jets
- 3 b-tagged + 1 c-tagged jets -> **3b1c**



A single-lepton $t\bar{t}$ event



|Vcb| event in ATLAS detector

Full Run-2 pp dataset (140 fb⁻¹, 2015-2018)

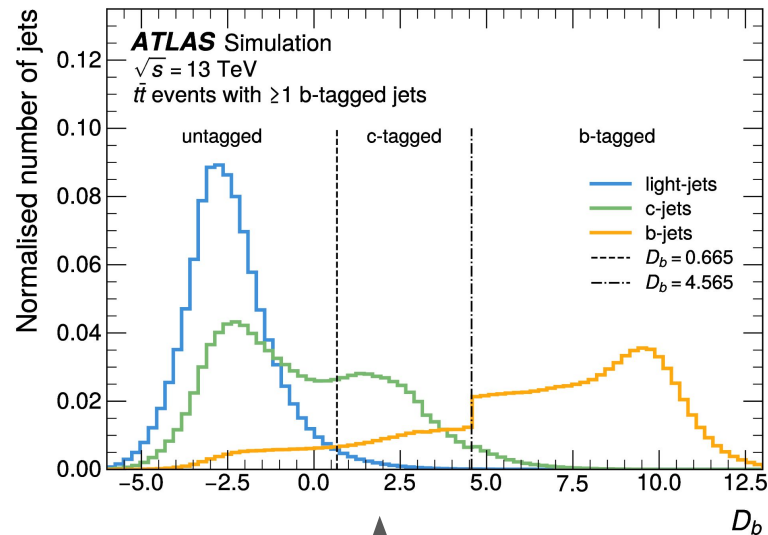
- ~100M tt events produced
- ~40M single-lepton events
- **Only ~35K events expected with |Vcb|**

Event signature:

- Single lepton events with exactly 4 jets
- 3 b-tagged + 1 c-tagged jets -> **3b1c**
- Assign jet flavours using b-tagging working points in DL1r tagger
- Average tagging performance:

$$T = \begin{pmatrix} \varepsilon_l & f_{lc} & f_{lb} \\ f_{cl} & \varepsilon_c & f_{cb} \\ f_{bl} & f_{bc} & \varepsilon_b \end{pmatrix} = \begin{pmatrix} 97.5\% & 2.5\% & 0.04\% \\ 65.4\% & 32.1\% & 2.5\% \\ 15.0\% & 25.0\% & 60.0\% \end{pmatrix}$$

Calibrated in this analysis



- The standard c-jet tagging calibration assumes a fixed nominal value of |Vcb| and uses highly overlapped analysis region
- Using these scale factors will bias the |Vcb| extraction
- **Need to perform *in situ* calibration for c-jets**

|Vcb| event in ATLAS detector

Full Run-2 pp dataset (140 fb⁻¹, 2015-2018)

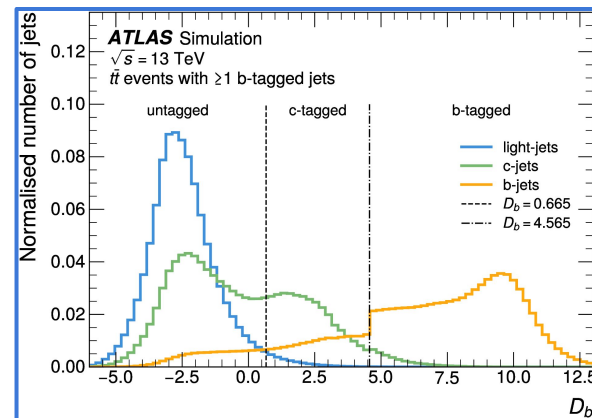
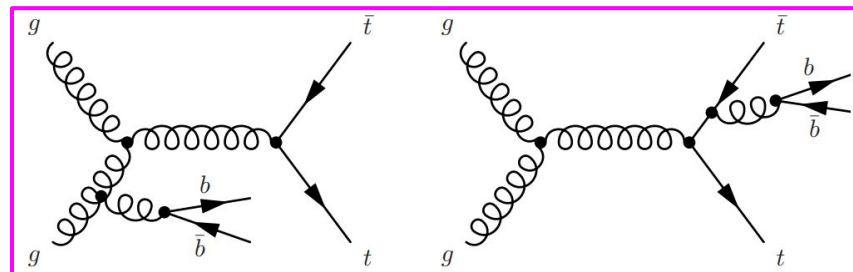
- ~100M $t\bar{t}$ events produced
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- **Only ~35K events expected with |Vcb|**

Event signature:

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$t\bar{t}$ reconstruction challenges:

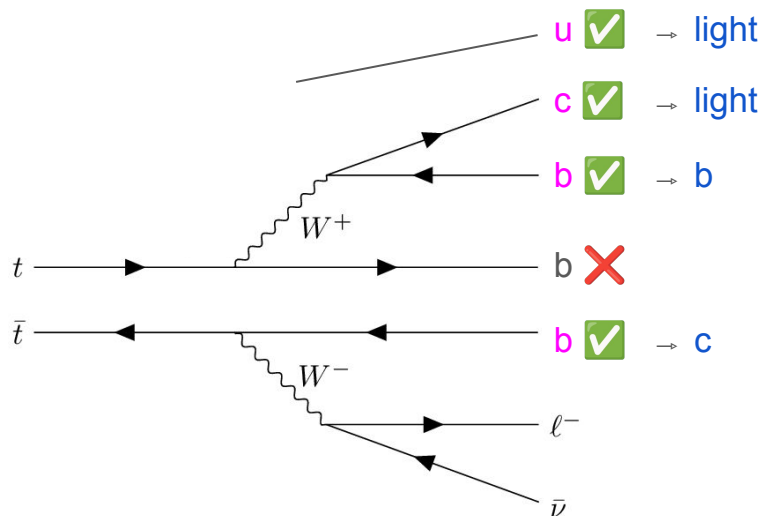
- Jet origins can be **mis-assigned**
- Jet flavours can be **mis-tagged**
- **Main background:** $t\bar{t}$ (without |Vcb|) events with mis-assigned and mis-tagged jets.



Jet assignment and flavour tagging

Events are sorted into **Production Category** based on truth flavours^[*] of the jets (**PC**, denoted as *mbnc*) and **Tagging Category** based on the reconstructed flavours (**TC**, also denoted as *mbnc*)

- **PC** can be different from the generated process if a jet (e.g. from ISR) is mis-assigned as $t\bar{t}$ decay product
- **TC** can be different from **PC** if a jet is mis-tagged with an incorrect flavour



Example (Signal): A 3 b 1 c $t\bar{t}$ (with $|V_{cb}|$) event is categorised into **2 b 1 c PC** and **1 b 1 c TC**

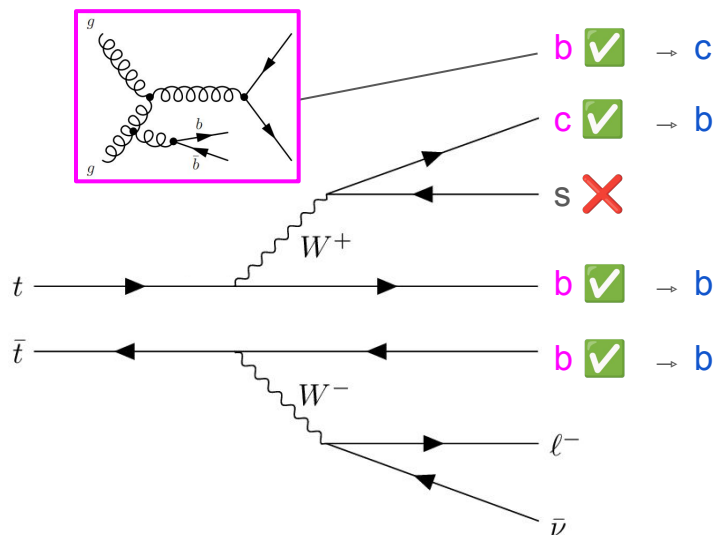
3 b 1 c TC is expected to be the most signal-enriched region, however, $|V_{cb}|$ events are distributed across other regions due to these effects

[*] In ATLAS flavour tagging, this is defined according to the match generator-level hadrons

Jet assignment and flavour tagging

Events are sorted into **Production Category** based on truth flavours^[*] of the jets (**PC**, denoted as *mbnc*) and **Tagging Category** based on the reconstructed flavours (**TC**, also denoted as *mbnc*)

- **PC** can be different from the generated process if a jet (e.g. from ISR) is mis-assigned as $t\bar{t}$ decay product
- **TC** can be different from **PC** if a jet is mis-tagged with an incorrect flavour



Example (Background): A 2b1c $t\bar{t}$ (without $|V_{cb}|$) event is categorised into **3b1c PC** and **3b1c TC**

Results in background contamination in 3b1c TC:

- Mostly b/c-associated $t\bar{t}$ production ($t\bar{t}$ + HF)
- Modelling of these processes are challenging
- MC consistently underpredicts data
- **Normalisation must be extracted from data**

[*] In ATLAS flavour tagging, this is defined according to the match generator-level hadrons

Jet assignment Neural Network (NN)

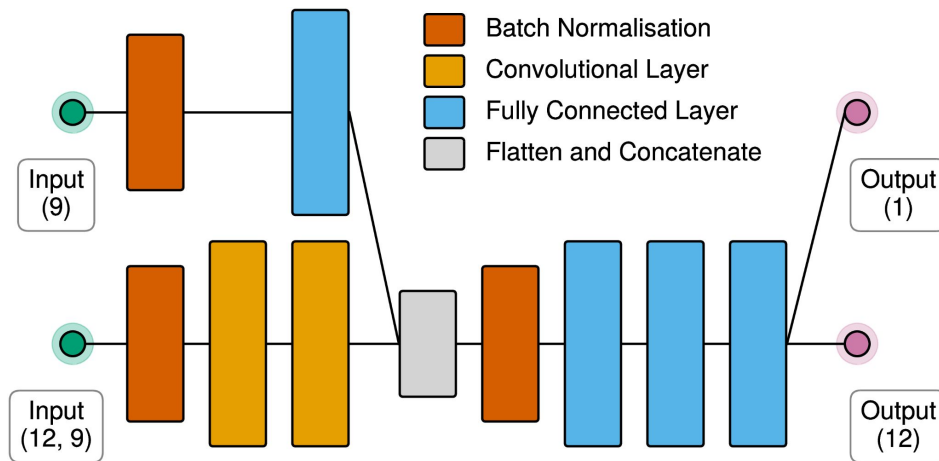
Binary classifier to suppress background from mis-assigned jets:

- Signal: $t\bar{t}$ events with all four jets truth-matched to the partons from the decay
- Background: not fully matched $t\bar{t}$ events and non- $t\bar{t}$ events

Notably, $t\bar{t}$ +HF is selected as Bkg., allowing to constrain it using the low NN output score regions

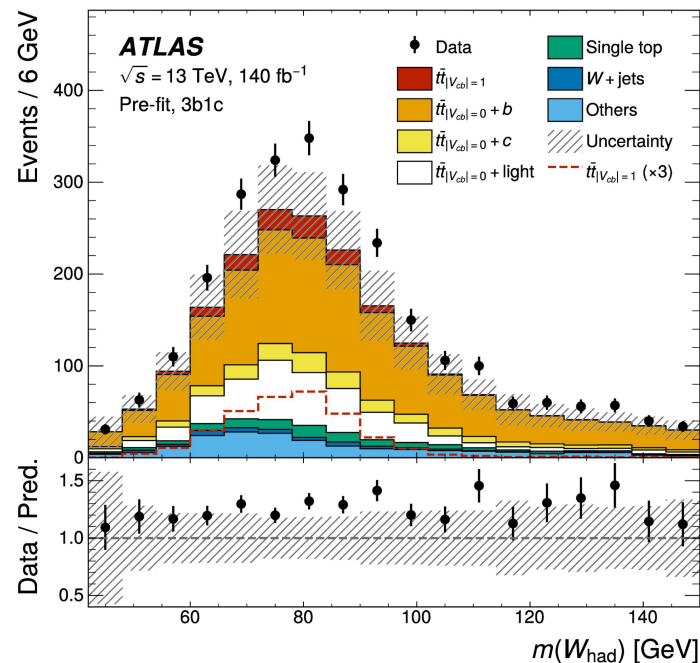
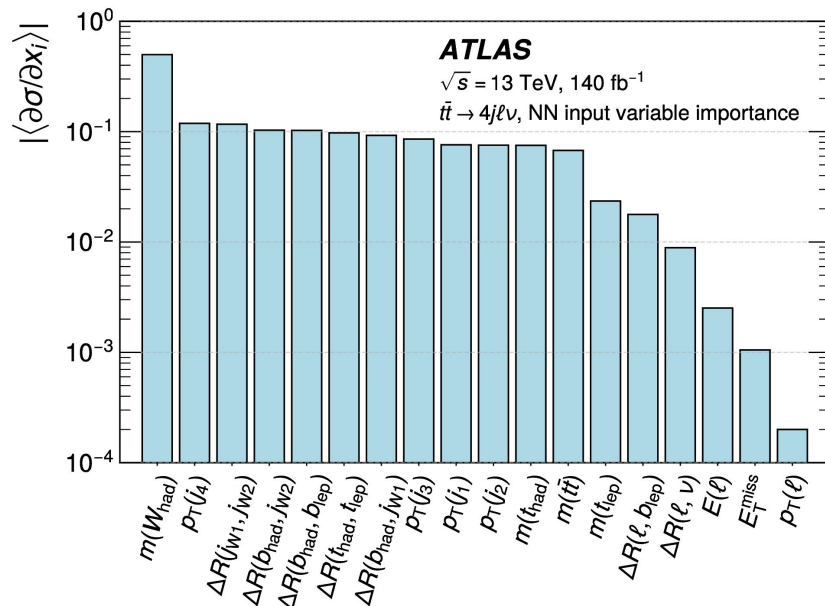
- Jet 0-3 pT (hardest to softest)
- Lepton energy and pT
- Missing transverse energy
- ΔR (lepton, neutrino)

- 6 opening angles:
 - ΔR (lepton, b_{lep}), ΔR (b_{lep} , b_{had})
 - ΔR (b_{had} , W_{j0}), ΔR (b_{had} , W_{j1})
 - ΔR (W_{j0} , W_{j1}), ΔR (t_{had} , t_{lep})
- 3 masses: t_{lep} , t_{had} , W_{had}



Jet assignment Neural Network (NN)

Input variable ranking: hadronic W boson mass drives the discrimination, followed by several variables with comparable importance



Event Categorisation

- **Need to constrain overall $t\bar{t}$ normalisation**
 - cross section calculated at NNLO QCD
- **Need to constrain $t\bar{t} + b/c$**
 - poorly modelled by MC
- **Need to calibration charm jet tagging (and mistagging) efficiencies**
 - can't use standard calibration
- **Need to extract $|V_{cb}|$**

Event Categorisation

TCs defined by the number of b- and c-tagged jets:

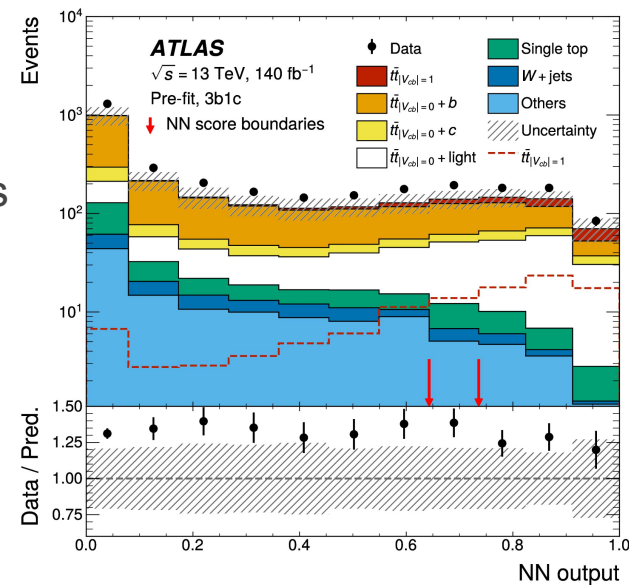
- **Signal TC (3b1c)**: maximises sensitivity for measuring $|V_{cb}|$
- **Control TCs (2b0c, 2b1c, 3b0c, ..)**: calibrate c-jet tagging rates

NN bin edges optimised to minimise expected uncertainty of $|V_{cb}|$

- Three NN regions (NNRs): Low, Medium, High
- **Low NNRs** are used to constrain the $t\bar{t}$ + HF background
- Sensitivity saturates with more than 3 bins

Fit to the 24 regions (8 TCs x 3 NNRs):

	1b1c	1b2c	1b3c	2b0c	2b1c	2b2c	3b0c	3b1c
Low NNR								
Med NNR								
High NNR								



In situ c-jet tagging calibration

Calibrate c-jet efficiency ε_c and mis-tag rate f_{cb} in all top processes in bins of NN score

Two-step procedure:

- **Step 1:** Extract tagging rates from MC by minimising χ^2 fitted to event yields in each NNR

$$\chi^2 = \sum_j \left(\frac{N_j - N \cdot p_j(T)}{\Delta N_j} \right)^2$$

N_j (ΔN_j): event yield (uncertainty) in the j-th TC
 N : total event yield

The expected event fraction in TC j as a function of tagging rates

$$\begin{pmatrix} \varepsilon_l & f_{lc} & f_{lb} \\ f_{cl} & \varepsilon_c & f_{cb} \\ f_{bl} & f_{bc} & \varepsilon_b \end{pmatrix}$$

6 independent rates

$$p_j(T) = \sum_j^{\text{All PCs}} t_i \cdot P_{ij}(T)$$

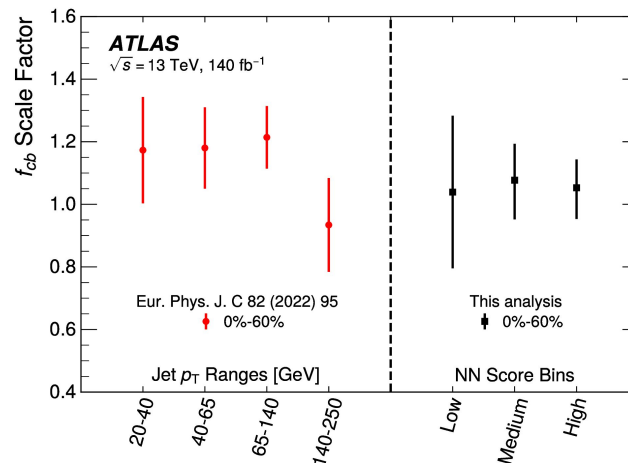
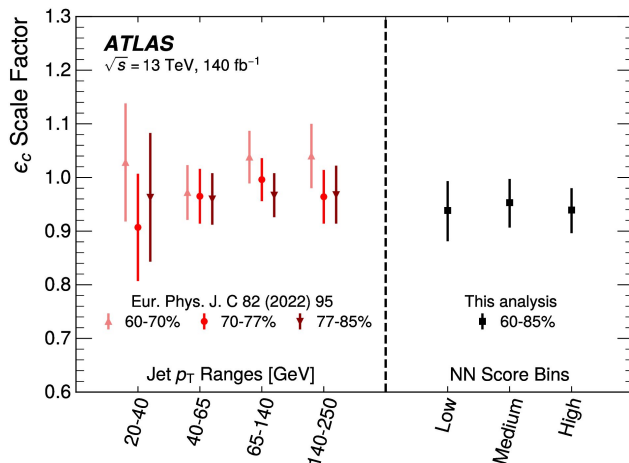
- Fraction of events in each PC (based on truth flavours)
- Transition probability from PC i to TC j:
- Example: $3b1c \rightarrow 3b1c$: $\varepsilon_b^3 \varepsilon_c + 3\varepsilon_b^2 f_{bc} f_{cb}$

In situ c-jet tagging calibration

- **Step 2:** Tagging rates from Step 1 define the normalisation factors in the final fit

$$A_j = \frac{p_j(\varepsilon_c, f_{cb}, *)}{p_j(\varepsilon_c^{\text{MC}}, f_{cb}^{\text{MC}}, *)}$$

- (Scale factors of) c-jet efficiency ε_c and mis-tag rate f_{cb} float freely
- Other tagging rates (denoted as *) in T are fixed to their calibrated values except ε_c and f_{cb}

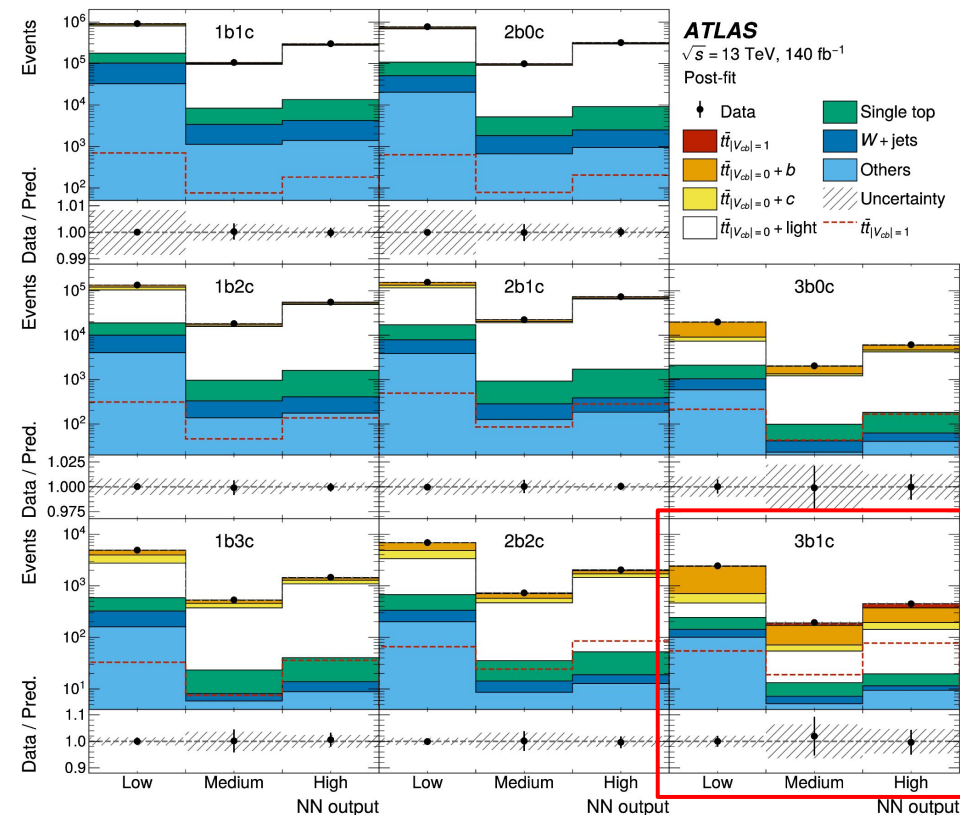


- **Compatible with values measured in the standard c-tagging calibration**

Fit results

- Profile likelihood fit to 8 TCs x 3 NNRs

Free Parameters are determined simultaneously



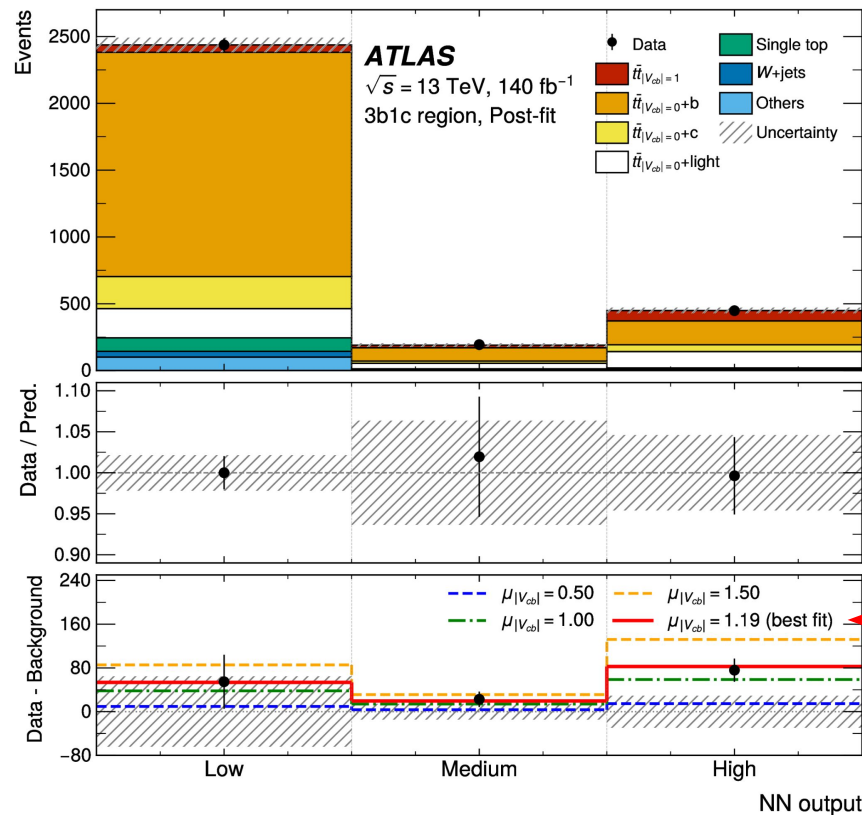
- c-jet tagging efficiency and c-to-b mis-tag rate scale factors (see last page)
- Scaling of $|V_{cb}|$ (event yield scales with $|V_{cb}|^2$)
- Normalisation of inclusive $t\bar{t}$
- Normalisation of $t\bar{t}+c$ fraction
- Normalisation of $t\bar{t}+b$ fraction

Parameter	Value
$\mu_{ V_{cb} }$	$1.19^{+0.27}_{-0.35}$
$\mu_{t\bar{t}}$	0.99 ± 0.03
$\mu_{t\bar{t}+c}$	$1.60^{+0.64}_{-0.60}$
$\mu_{t\bar{t}+b}$	$1.45^{+0.54}_{-0.34}$

Consistent with dedicated $t\bar{t}$ +HF measurements

Fit results

- $|V_{cb}|$ signal in 3b1c



Free Parameters are determined simultaneously

- c-jet tagging efficiency and c-to-b mis-tag rate scale factors (see last page)
- Scaling of $|V_{cb}|$ (event yield scales with $|V_{cb}|^2$)
- Normalisation of inclusive $t\bar{t}$
- Normalisation of $t\bar{t}+c$ fraction
- Normalisation of $t\bar{t}+b$ fraction

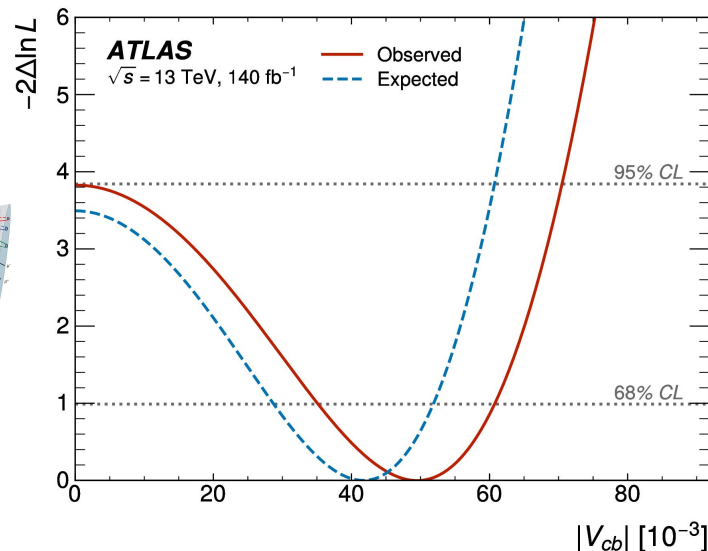
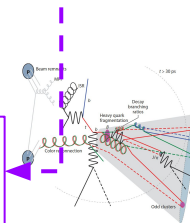
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$|V_{cb}|$ extraction and uncertainty

$|V_{cb}|$: $(50^{+11}_{-14}) \times 10^{-3}$ – Compared with world average: $(41.1 \pm 1.2) \times 10^{-3}$

- Balanced **statistical** and **systematic** uncertainties
- Systematic uncertainty dominated by **$t\bar{t}$ modelling**

Uncertainty in $ V_{cb} $	Up/Down [10^{-3}]
Modelling of $t\bar{t}$	8/9
$\hookrightarrow$ PS and hadronisation	5/6
$\hookrightarrow$ Others	5/6
Jet flavour tagging calibration	2.9/3.1
$\hookrightarrow$ Light-jet	2.5/2.8
$\hookrightarrow$ b -jet	1.2/1.3
Simulation statistical uncertainty	2.6/2.7
Jet calibration	2.4
Modelling of non- $t\bar{t}$ processes	1.6
Others	0.8
Systematic uncertainty	9/10
Statistical uncertainty	7/9
Total uncertainty	11/14



Corresponds to:

$$|V_{cb}|^2 = (2.5 \pm 1.2) \times 10^{-3}$$

$$\mathbf{B}(t \rightarrow bc\bar{b}) \text{ in SM: } (8 \pm 4) \times 10^{-4}$$

Summary

- First measurement of $|V_{cb}|$ via on-shell W decays: $|V_{cb}| = (50^{+11}_{-14}) \times 10^{-3}$
- Within 3-generation SM: $\mathbf{B}(\mathbf{t} \rightarrow \mathbf{bc}\bar{\mathbf{b}}) = (8 \pm 4) \times 10^{-4}$
- Not yet enough to test the tension in traditional extractions, however, demonstrates the potential to measure CKM matrix elements at electroweak scale

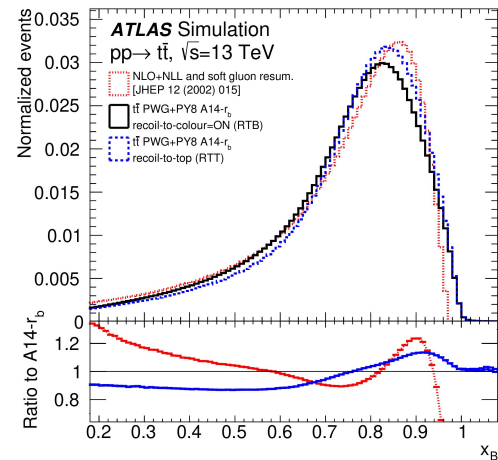
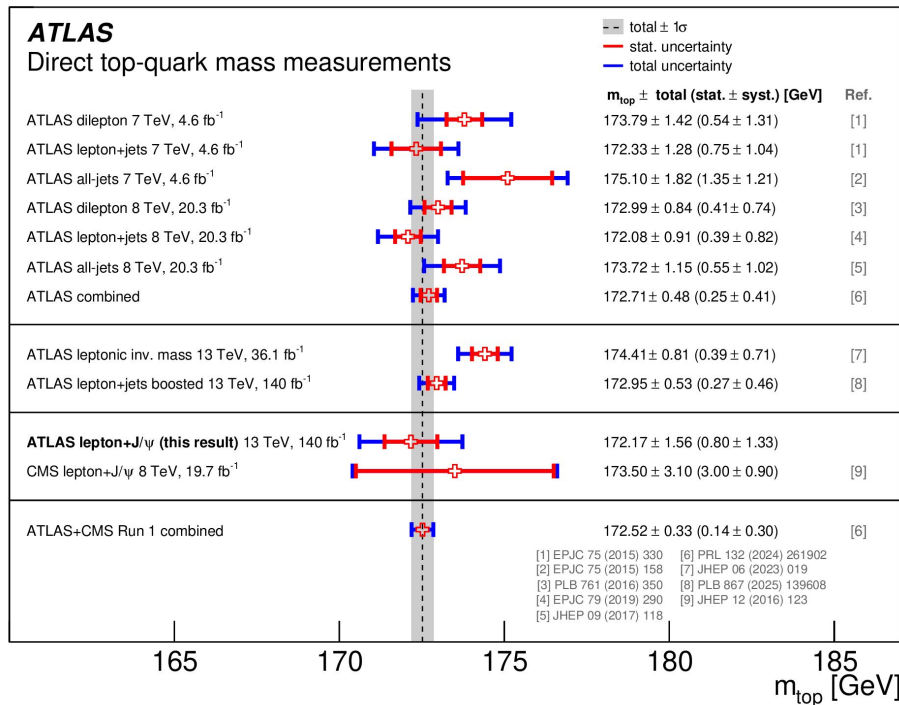
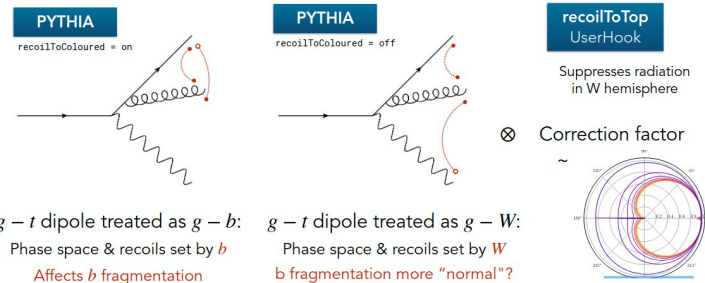
Projections in different scenarios	Stat	Syst	Total
This paper (Run 2, $L=140 \text{ fb}^{-1}$)	+7 / -9	+9 / -10	+11 / -14
Only data and MC stat scale with Luminosity (Run 2+3, $L=500 \text{ fb}^{-1}$)	+4 / -5	+9 / -10	+9 / -11
+ Systematic uncertainties are halved* (Run 2+3, $L=500 \text{ fb}^{-1}$)	+4 / -5	+5 / -5	+6 / -7

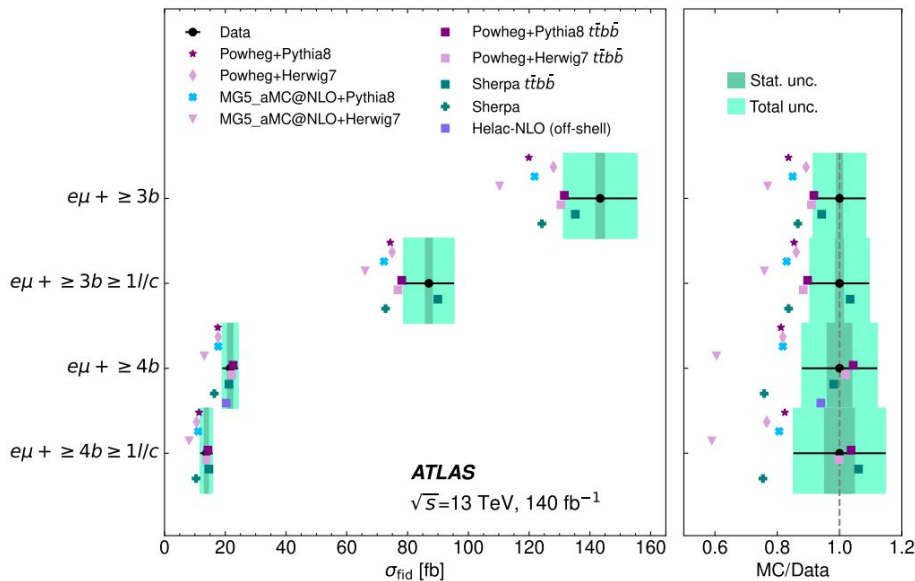
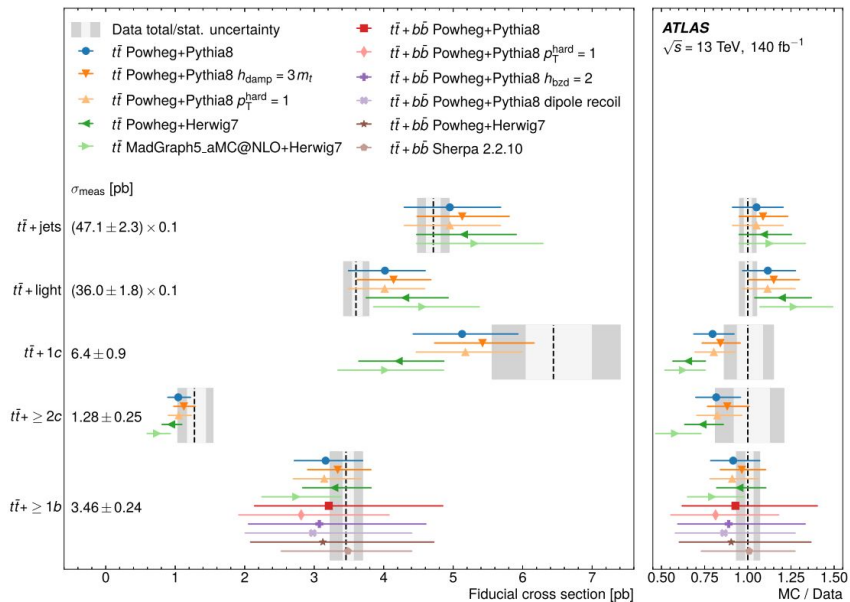
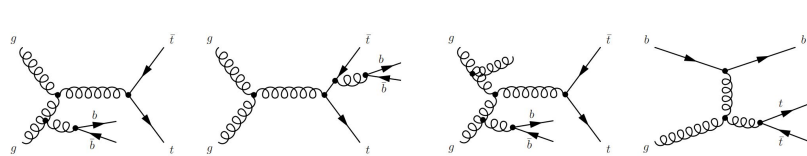
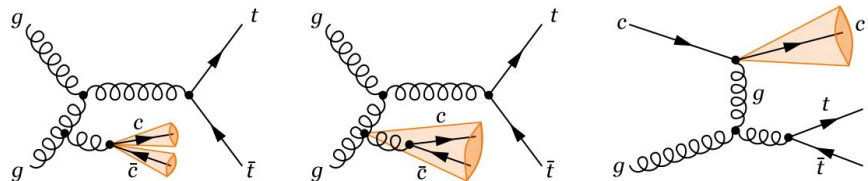
- Also profits from state-of-the-art flavour tagging algorithms and extended analysis categories

Backup

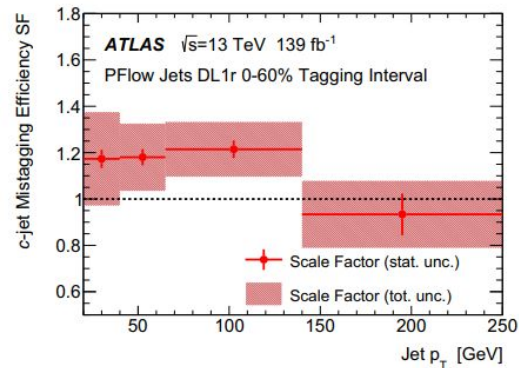
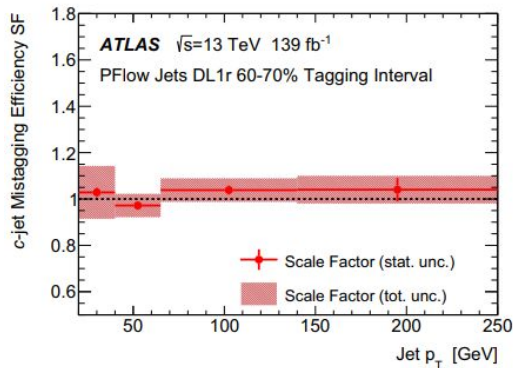
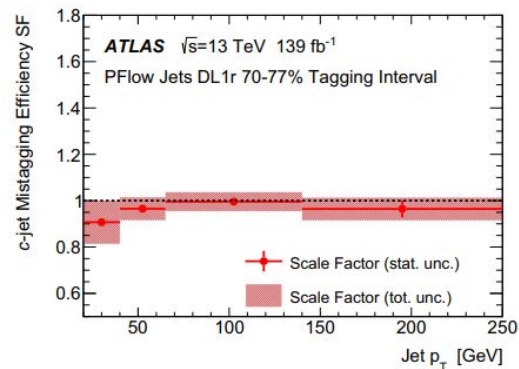
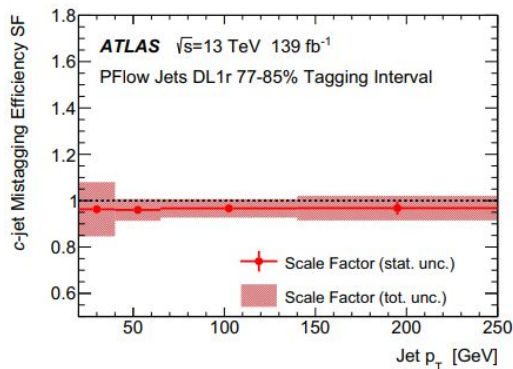
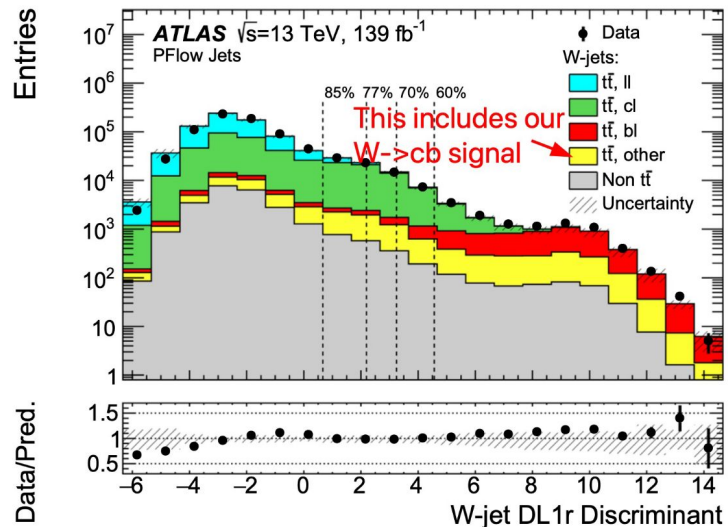
PYTHIA allows two different coherence/recoil options

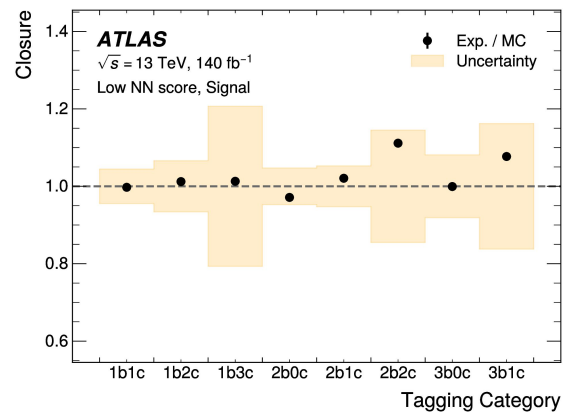
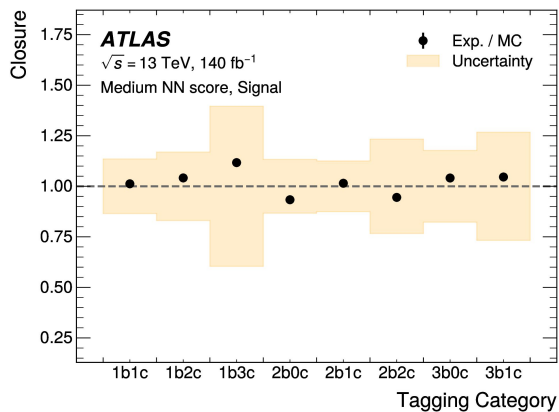
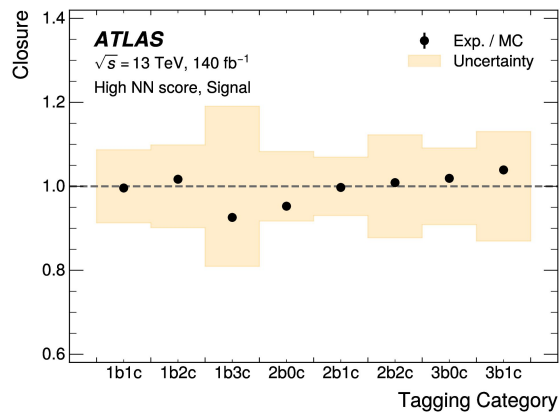
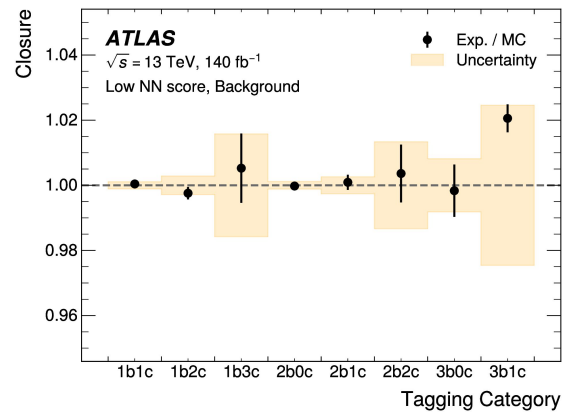
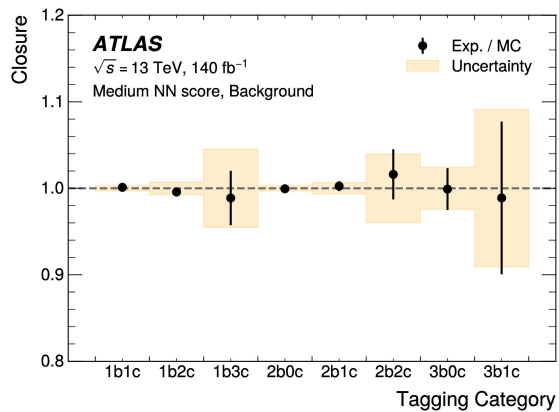
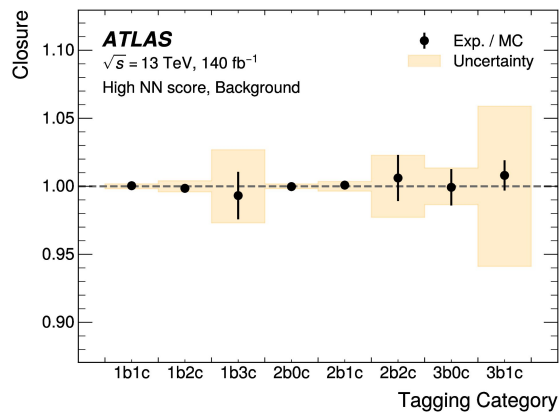
+ recently made a dedicated UserHook "recoilToTop" for use with recToCol = off
Theoretically the least bad option (in absence of RF)? Needs validations & feedback.





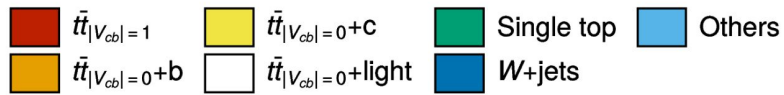
Standard c-jet tagging calibration: [Eur. Phys. J. C \(2022\)](#)

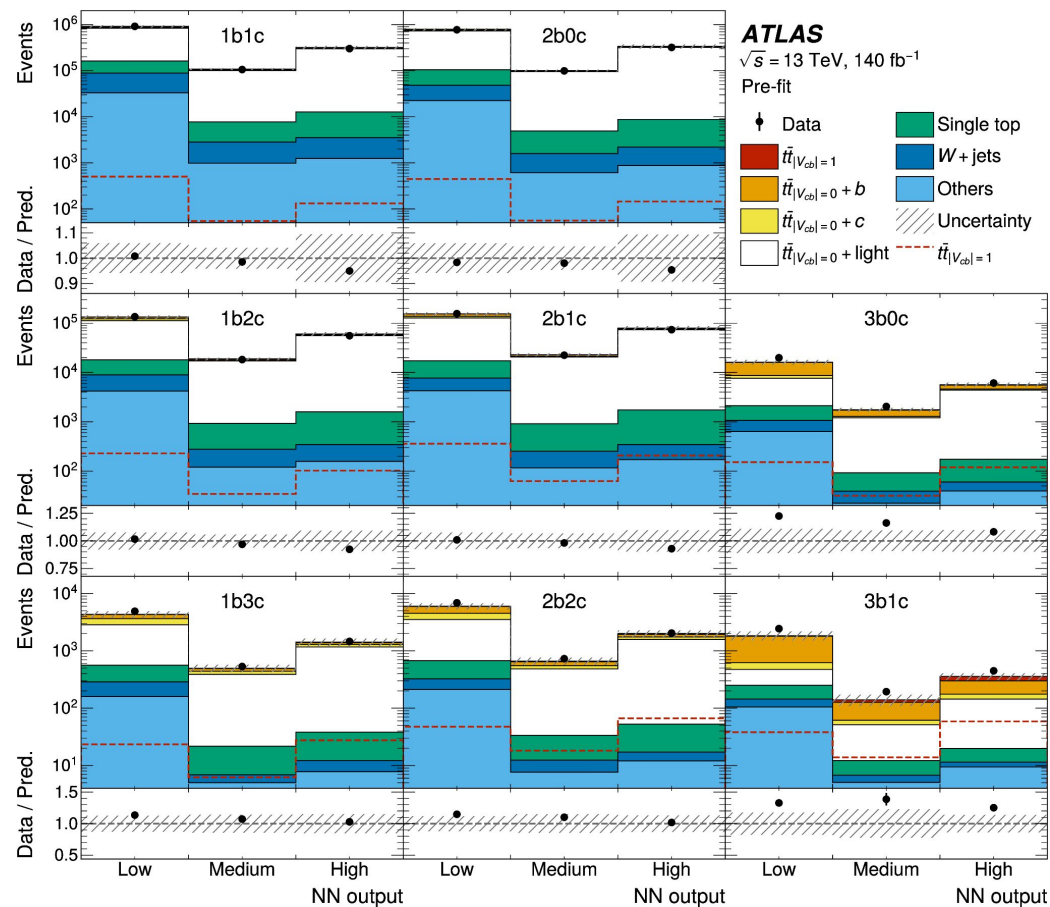
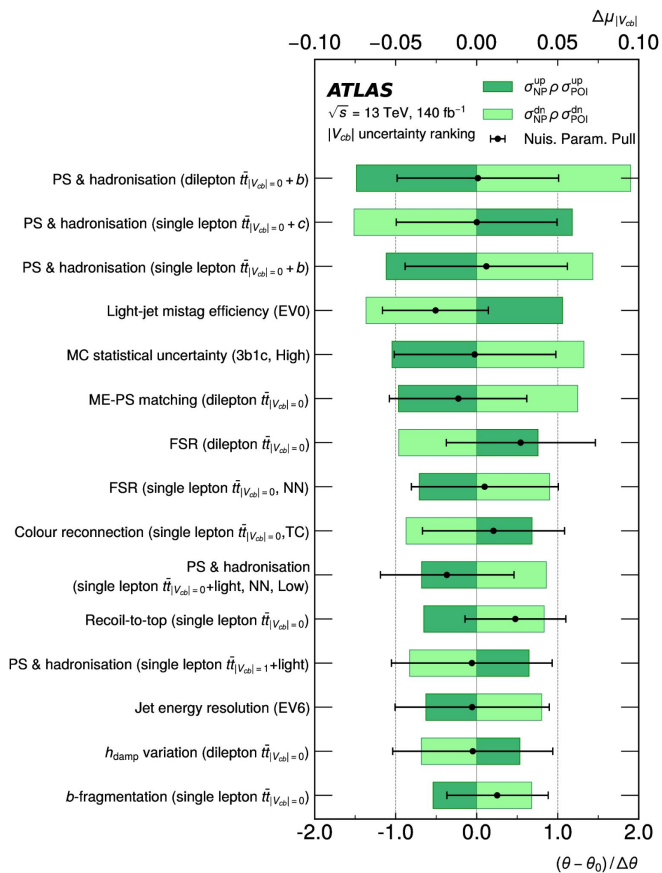




ATLAS Simulation

$\sqrt{s} = 13 \text{ TeV}$, Pre-fit





GN2: [Nature Commun. 17 \(2026\) 541](#)

GN3: [ATL-PHYS-PUB-2026-001](#)

