

## GRAVITY REDUX: MEASURING INTERNATIONAL TRADE COSTS WITH PANEL DATA

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*Barriers to international trade are known to be large but because of data limitations it is hard to measure them directly for a large number of countries over many years. To address this problem, I derive a micro-founded measure of bilateral trade costs that indirectly infers trade frictions from observable trade data. I show that this trade cost measure is consistent with a broad range of leading trade theories including Ricardian and heterogeneous firms models. In an application I show that U.S. trade costs with major trading partners declined on average by about 40% between 1970 and 2000, with Mexico and Canada experiencing the biggest reductions. (JEL F10, F15)*

### I. INTRODUCTION

International trade has grown enormously over the last few decades, and almost every country trades considerably more today than 30 or 40 years ago. One reason for this increase in trade has undoubtedly been the decline in international trade costs, for example, the decline in transportation costs and tariffs. But which countries have experienced the fastest declines in trade costs, and how big are the remaining barriers? These questions are important for understanding what impedes globalization, yet we know surprisingly little about the barriers that prevent international market integration.

This paper sheds light on these issues by developing a way of measuring the barriers to international trade. I derive a micro-founded measure of aggregate bilateral trade costs that I obtain from the gravity equation. As a workhorse model of international trade, the gravity equation relates countries' bilateral trade to their economic size and bilateral trade

costs, and it has one of the strongest empirical track records in economics. The core idea of the paper is to analytically solve a theoretical gravity equation for the trade cost parameters that capture the barriers to international trade. The resulting solution expresses the trade cost parameters as a function of observable trade data and thus provides a micro-founded measure of bilateral trade costs that can be tracked over time. The measure is useful in practice because it is easy to implement empirically with readily available data.

The advantage of this trade cost measure is that it captures a wide range of trade cost components. These include transportation costs and tariffs but also other components that can be difficult to observe such as language barriers, informational costs, and bureaucratic red tape.<sup>1</sup> While it would be desirable to collect direct data on individual trade cost components at different points in time and add them up to

1. For example, Anderson and Marcouiller (2002) highlight hidden transaction costs due to poor security. Portes and Rey (2005) identify costs of international information transmission.

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### ABBREVIATIONS

CUSFTA: Canada–U.S. Free Trade Agreement  
 c.i.f./f.o.b.: Cost, Insurance, and Freight/Free on Board  
 DOTS: Direction of Trade Statistics  
 GDP: Gross Domestic Product  
 IFS: International Financial Statistics  
 IMF: International Monetary Fund  
 ITCS: International Trade by Commodity Statistics  
 NAFTA: North American Free Trade Agreement  
 OECD: Organisation for Economic Co-operation and Development  
 STAN: Structural Analysis

obtain a summary measure of trade costs, this is hardly possible in practice because of severe data limitations. The trade cost measure derived in this paper avoids this problem by providing researchers with a gauge of comprehensive international trade costs that is easy to construct. It can be helpful not only for studying international trade but also for other applications that require a time-varying measure of bilateral market integration.

The approach taken in this paper has a strong theoretical foundation. I show that inferring trade costs indirectly from trade data is consistent with a large variety of leading international trade models. Head and Ries (2001) were the first to derive such a trade cost measure based on an increasing returns model of international trade with home market effects and a constant returns model with national product differentiation. I extend their approach by showing that the trade cost measure can be derived from a broader range of models, in particular the well-known gravity model by Anderson and van Wincoop (2003), the Ricardian model by Eaton and Kortum (2002), as well as the heterogeneous firms models by Chaney (2008) and Melitz and Ottaviano (2008). Although these models make fundamentally different assumptions about the driving forces behind international trade, they have in common that they yield gravity equations in general equilibrium.<sup>2</sup> I exploit this similarity and demonstrate that all these models lead to an isomorphic trade cost measure. The intuition is that gravity equations are basic expenditure equations that indicate how consumers allocate spending across countries under the constraints of trade barriers. The motivation for purchasing foreign goods could be that they are either inherently different from domestic goods as in an Armington world, or they are produced relatively more efficiently as in a Ricardian world. I show formally that for the purpose of measuring international trade costs, it does not matter *why* consumers choose to spend money on foreign goods.

In addition, I take the trade cost measure to the data and compute it for a number of major

2. On the generality of the gravity equation also see Evenett and Keller (2002), Feenstra, Markusen and Rose (2001), and Grossman (1998). As the trade cost measure is derived from the gravity equation, it can be interpreted as a "gravity residual" that compares actual trade flows to those predicted by the gravity equation for a hypothetical frictionless world. In that sense its nature is related to the literature on missing trade that juxtaposes actual and predicted trade flows (Trefler 1995).

trading partners. To take the example of the United States, I find that the level of trade costs in the year 2000, expressed as a tariff equivalent, is lowest for Canada at 25%, followed by Mexico at 33%. But trade costs are considerably higher for Japan and the United Kingdom at over 60%. While these levels are consistent with comprehensive ballpark figures in the literature, for example those reported by Anderson and van Wincoop (2004), they have the advantage of being country pair specific. Furthermore, I find that over the period from 1970 to 2000, U.S. trade costs declined by about 40% on average, consistent with improvements in transportation and communication technology. But coinciding with the formation of the North American Free Trade Agreement (NAFTA), the decline in trade costs was considerably steeper for Canada and Mexico.

There are two differences between the trade cost measure derived in this paper and traditional gravity estimation. First, as I infer aggregate trade costs indirectly from observable trade data, there is no need to assume any particular trade cost function. In contrast, every estimated gravity regression implicitly assumes such a function by relying on trade cost proxies such as geographical distance as explanatory variables. A potential problem with that approach is that many trade cost components such as non-tariff barriers might be omitted because it is hard to find empirical proxies for them. The trade cost measure in this paper avoids this problem because it captures a comprehensive set of trade barriers. As a result, the trade cost levels reported above tend to exceed the numbers associated with individual components such as freight rates because those only represent a subset of overall trade costs.<sup>3</sup> The second difference is that many typical trade cost proxies such as distance do not vary over time. A static trade cost function is therefore ill-suited to capture the variation of trade costs over time.<sup>4</sup> However, the measure derived in this paper is a function

3. The odds specification approach by, for instance, Combes, Lafourcade, and Mayer (2005) and Martin, Mayer, and Thoenig (2008) eliminates unobservable multilateral resistance terms by using relative bilateral trade flows as the dependent variable in a gravity regression setting. Trade cost effects are then estimated in the usual way by including trade cost proxies as explanatory variables. In contrast, my approach does not rely on assuming a trade cost function. Instead, I solve for the trade cost variables as a function of observable trade flows to obtain a comprehensive measure of trade barriers.

4. For example, Anderson and van Wincoop (2003) only consider trade costs in cross-sectional data for the year 1993.

of time-varying observable trade data and thus allows researchers to trace changes in bilateral trade costs over time.

Finally, I use the gravity framework to examine the driving forces behind the strong growth of international trade over the last decades. I decompose the growth of bilateral trade into three distinct contributions—the growth of income, the decline of bilateral trade barriers, and the decline of multilateral barriers, or multilateral resistance as coined by Anderson and van Wincoop (2003). I find that income growth explains the majority of U.S. trade growth over the period from 1970 to 2000. The decline of bilateral trade barriers is the second biggest contribution but this contribution varies considerably across trading partners. For example, the decline of bilateral trade barriers seems about twice as important for explaining the growth of trade with Mexico as it is for explaining the growth of trade with Japan. My results are consistent with those of Baier and Bergstrand (2001) who argue that two-thirds of the growth in trade among Organization for Economic Cooperation and Development (OECD) countries between 1958 and 1988 can be explained by the growth of income. The innovation of my decomposition is to explicitly account for the role of multilateral resistance. As I obtain an analytical solution for the unobservable multilateral resistance variables, I can relate them to observable trade data. Previously it has been either impossible or very cumbersome to solve for multilateral resistance.

An alternative approach to measuring trade costs in the literature is to consider price differences across borders. This is motivated by the idea that arbitrage will eliminate price differences in the absence of international trade costs. While this approach is in principle promising, it is plagued by the difficulty of getting reliable price data on comparable goods in different countries. Another approach attempts to measure trade costs directly (see Anderson and van Wincoop 2004, for a survey). Limão and Venables (2001) employ data on the cost of shipping a standard 40-ft container from Baltimore, Maryland, to various destinations in the world, showing that transport costs are significantly increased by poor infrastructure and adverse geographic features such as being landlocked. Hummels (2007) examines the costs of ocean shipping and air transportation. Kee, Nicita, and Olarreaga (2009) propose a trade restrictiveness index that is based on observable tariff

and non-tariff barriers. They show that tariffs alone are a poor indicator of trade restrictiveness because non-tariff barriers also provide a considerable degree of trade protection. I view such direct measures as complements to indirect measures that are inferred from trade flows. Direct measures have the advantage of being more precise on the particular trade cost components they capture. But the direct approach is often restricted by data limitations and by the fact that many trade cost components are unobservable.

Although I derive the trade cost measure from a wide range of leading trade models, Head and Ries (2001) were the first authors to derive it using a Dixit–Stiglitz preference structure over differentiated varieties. This measure, which corresponds to the one derived from the Anderson and van Wincoop (2003) framework, is also related to the “freeness of trade” measure in the New Economic Geography literature. The freeness measure captures the inverse of trade costs so that a high value corresponds to low trade barriers (see Baldwin et al. 2003; Fujita, Krugman, and Venables 1999; Head and Mayer 2004). My paper adds to this literature by relating unobservable multilateral resistance variables to observable data. In addition, it provides the more general insight that the trade cost measure can be derived from model classes that are not typically considered in that literature.

The paper is organized as follows. In Section II, I derive the micro-founded trade cost measure, showing that it is consistent with a wide range of leading trade models. In Section III, I present bilateral trade costs for a number of major trading partners. I also check whether the resulting trade cost measure is sensibly related to typical trade cost proxies such as distance, tariffs, and free trade agreements. In Section IV, I decompose the growth of bilateral trade into the growth of income and the decline of trade barriers. Section V provides a discussion of the results and a number of robustness checks. Section VI concludes.

## II. TRADE COSTS IN GENERAL EQUILIBRIUM

In this section, I derive the micro-founded measure of bilateral trade costs. I base the derivation on the well-known Anderson and van Wincoop (2003) model. This is one of the most parsimonious trade models, which makes the derivation particularly intuitive. But in fact, the trade cost measure does not hinge on that particular model. To demonstrate that it is valid

more generally I also show how the trade cost measure can be derived from two different types of trade models—the Ricardian model by Eaton and Kortum (2002) as well as the heterogeneous firms models by Chaney (2008) and Melitz and Ottaviano (2008).<sup>5</sup>

#### A. Trade Costs in Anderson and van Wincoop (2003)

Anderson and van Wincoop (2003) develop a multicountry general equilibrium model of international trade. Each country is endowed with a single good that is differentiated from those of other countries. Optimizing individual consumers enjoy consuming a large variety of domestic and foreign goods. Their preferences are assumed to be identical across countries and are captured by constant elasticity of substitution utility.

As the key element in their model, Anderson and van Wincoop (2003) introduce exogenous bilateral trade costs. When a good is shipped from country  $i$  to  $j$ , bilateral variable transportation costs and other variable trade barriers drive up the cost of each unit shipped. As a result of trade costs, goods prices differ across countries. Specifically, if  $p_i$  is the net supply price of the good originating in country  $i$ , then  $p_{ij} = p_i t_{ij}$  is the price of this good faced by consumers in country  $j$ , where  $t_{ij} \geq 1$  is the gross bilateral trade cost factor (one plus the tariff equivalent).<sup>6</sup>

On the basis of this framework Anderson and van Wincoop (2003) derive a micro-founded gravity equation with trade costs:

$$(1) \quad x_{ij} = (y_i y_j / y^W) (t_{ij} / (\Pi_i P_j))^{1-\sigma},$$

where  $x_{ij}$  denotes nominal exports from  $i$  to  $j$ ,  $y_i$  is nominal income of country  $i$ , and  $y^W$  is world income defined as  $y^W \equiv \sum_j y_j$ .  $\sigma > 1$  is the elasticity of substitution across goods.  $\Pi_i$  and  $P_j$  are country  $i$ 's and country  $j$ 's price indices.

The gravity equation implies that all else being equal, bigger countries trade more with each other. Bilateral trade costs  $t_{ij}$  decrease bilateral trade but they have to be measured against the price indices  $\Pi_i$  and  $P_j$ . Anderson

and van Wincoop (2003) call these price indices *multilateral resistance* variables because they include trade costs with all other partners and can be interpreted as average trade costs.  $\Pi_i$  is the *outward* multilateral resistance variable, whereas  $P_j$  is the *inward* multilateral resistance variable.

*The Link between Multilateral Resistance and Intranational Trade.* As direct measures for appropriately averaged trade costs are generally not available, it is difficult to find expressions for the multilateral resistance variables. Anderson and van Wincoop (2003) assume that bilateral trade costs are a function of two particular trade cost proxies—a border barrier and geographical distance. In particular, they assume the trade cost function  $t_{ij} = b_{ij} d_{ij}^\kappa$ , where  $b_{ij}$  is a border-related indicator variable,  $d_{ij}$  is bilateral distance, and  $\kappa$  is the distance elasticity. In addition, they simplify the model by assuming that bilateral trade costs are symmetric (i.e.,  $t_{ij} = t_{ji}$ ). Under the symmetry assumption it follows that outward and inward multilateral resistance are the same (i.e.,  $\Pi_i = P_i$ ). Thus, conditioning on these additional assumptions Anderson and van Wincoop (2003) find an implicit solution for multilateral resistance.

There are a number of drawbacks associated with the additional assumptions.<sup>7</sup> First, the chosen trade cost function might be misspecified. Its functional form might be incorrect and it might omit important trade cost determinants such as tariffs. Second, bilateral trade costs might be asymmetric, for example, if one country imposes higher tariffs than the other. Third, in practice trade barriers are time-varying, for example, when countries phase out tariffs. Time-invariant trade cost proxies such as distance are therefore hardly useful in capturing trade cost changes over time.<sup>8</sup>

In what follows, I propose a method that helps to overcome these drawbacks by deriving an *analytical* solution for multilateral resistance variables. This method does not rely on any particular trade cost function and it does not impose trade cost symmetry. Instead, trade costs are inferred from time-varying trade data that are readily observable.

5. Chen and Novy (2011) cover models with industry-specific bilateral trade costs and industry-specific structural parameters.

6. Modeling trade costs in this way is consistent with the iceberg formulation that portrays trade costs as if an iceberg were shipped across the ocean and partly melted in transit (Samuelson 1954; Krugman 1980).

7. Anderson and van Wincoop (2003, 180) provide a brief discussion on this point.

8. Combes and Lafourcade (2005) show that although distance is a good proxy for transport costs in cross-sectional data, it is of very limited use for time series data.

Intuitively, my method makes use of the insight that a change in bilateral trade barriers does not only affect *international* trade but also *intranational* trade. For example, suppose that country  $i$ 's trade barriers with all other countries fall. In that case, some of the goods that country  $i$  used to consume domestically, i.e., intranationally, are now shipped to foreign countries. It is therefore not only the extent of international trade that depends on trade barriers with the rest of the world but also the extent of intranational trade.

This can be seen formally by using gravity equation (1) for country  $i$ 's intranational trade  $x_{ii}$ . This equation can be solved for the product of outward and inward multilateral resistance as

$$(2) \quad \Pi_i P_i = \left( (x_{ii}/y_i)/(y_i/y^W) \right)^{1/(\sigma-1)} t_{ii}.$$

As an example suppose two countries  $i$  and  $j$  face the same domestic trade costs  $t_{ii} = t_{jj}$  and are of the same size  $y_i = y_j$  but country  $i$  is a more closed economy, that is,  $x_{ii} > x_{jj}$ . It follows directly from Equation (2) that multilateral resistance is higher for country  $i$  ( $\Pi_i P_i > \Pi_j P_j$ ). Equation (2) implies that for given  $t_{ii}$  it is easy to measure the change in multilateral resistance over time as it does not depend on time-invariant trade cost proxies such as distance.

*A Micro-Founded Measure of Trade Costs.* The explicit solution for the multilateral resistance variables can be exploited to solve the model for bilateral trade costs. Gravity equation (1) contains the product of outward multilateral resistance of one country and inward multilateral resistance of another country,  $\Pi_i P_j$ , whereas Equation (2) provides a solution for  $\Pi_i P_i$ . It is therefore useful to multiply gravity equation (1) by the corresponding gravity equation for trade flows in the opposite direction,  $x_{ji}$ , to obtain a bidirectional gravity equation that contains both countries' outward and inward multilateral resistance variables:

$$(3) \quad x_{ij} x_{ji} = (y_i y_j / y^W)^2 \left( (t_{ij} t_{ji}) / (\Pi_i P_i \Pi_j P_j) \right)^{1-\sigma}.$$

Substituting the solution from Equation (2) and rearranging yields

$$(4) \quad (t_{ij} t_{ji}) / (t_{ii} t_{jj}) = \left( (x_{ii} x_{jj}) / (x_{ij} x_{ji}) \right)^{1/(\sigma-1)}.$$

As shipping costs between  $i$  and  $j$  can be asymmetric ( $t_{ij} \neq t_{ji}$ ) and as domestic trade costs

can differ across countries ( $t_{ii} \neq t_{jj}$ ), it is useful to take the geometric mean of the barriers in both directions. It is also useful to deduct one to get an expression for the tariff equivalent. I denote the resulting trade cost measure as  $\tau_{ij}$ :

$$(5) \quad \tau_{ij} \equiv \left( (t_{ij} t_{ji}) / (t_{ii} t_{jj}) \right)^{1/2} - 1 \\ = \left( (x_{ii} x_{jj}) / (x_{ij} x_{ji}) \right)^{1/(2(\sigma-1))} - 1,$$

where  $\tau_{ij}$  measures bilateral trade costs  $t_{ij} t_{ji}$  relative to domestic trade costs  $t_{ii} t_{jj}$ . The measure therefore does not impose frictionless domestic trade and captures what makes international trade more costly over and above domestic trade.<sup>9</sup> Head and Ries (2001, equations 8 and 9) were the first authors to derive such a trade cost measure as a function of bilateral and domestic trade flows based on Dixit–Stiglitz CES preferences.

The intuition behind  $\tau_{ij}$  is straightforward. If bilateral trade flows  $x_{ij} x_{ji}$  increase relative to domestic trade flows  $x_{ii} x_{jj}$ , it must have become easier for the two countries to trade with each other relative to trading domestically. This is captured by a decrease in  $\tau_{ij}$ , and vice versa. The measure thus captures trade costs in an indirect way by inferring them from observable trade flows. Since these trade flows vary over time, trade costs  $\tau_{ij}$  can be computed not only for cross-sectional data but also for time series and panel data. This is an advantage over the procedure adopted by Anderson and van Wincoop (2003) who only use cross-sectional data. It is important to stress that bilateral barriers might be asymmetric ( $t_{ij} \neq t_{ji}$ ) and that bilateral trade flows might be unbalanced ( $x_{ij} \neq x_{ji}$ ).  $\tau_{ij}$  indicates the geometric average of the relative bilateral trade barriers in both directions.

Finally, the model above and thus the trade cost measure  $\tau_{ij}$  can also be motivated by a Heckscher–Ohlin setting. Deardorff (1998) argues that whenever there are bilateral trade barriers, the Heckscher–Ohlin model cannot have factor price equalization between two countries that trade with each other. If factor prices were equalized, prices would also be

9.  $\tau_{ij}$  can also be interpreted as a measure of the international component of trade costs net of distribution trade costs in the destination country. Formally, suppose total gross shipping costs  $t_{ij}$  can be decomposed into gross shipping costs up to the border of  $j$ , denoted by  $t_{ij}^*$ , times the gross shipping costs within  $j$ , denoted by  $t_{jj}$ , where  $t_{jj}$  does not depend on the origin of shipment. It follows  $t_{ij} = t_{ij}^* t_{jj}$  and  $t_{ji} = t_{ji}^* t_{ii}$  so that  $\tau_{ij} = \sqrt{t_{ij}^* t_{ji}^*} - 1$ .

equalized and neither country could overcome the trade barriers. In a world with a large number of goods and few factors it is therefore likely that one country will be the lowest-cost producer and that trade in a Heckscher-Ohlin world resembles trade in an Armington world.<sup>10</sup>

### B. Trade Costs in a Ricardian Model

Whereas the Anderson and van Wincoop (2003) model is a demand-side model that takes production as exogenous, the Ricardian model by Eaton and Kortum (2002) emphasizes the supply side. Each country can potentially produce every single good on the global range of goods but there will be only one lowest-cost producer who serves all other countries, provided that the cross-country price differential exceeds variable bilateral trade costs  $t_{ij}$ . Eaton and Kortum (2002) thus introduce an extensive margin of trade.

Productivity in each country is drawn from a Fréchet distribution. The parameter  $T_i$  determines the average absolute productivity advantage of country  $i$ , with a high  $T_i$  denoting high overall productivity. The parameter  $\vartheta > 1$  governs the variation within the productivity distribution and is treated as common across countries, with a low  $\vartheta$  denoting much variation and thus much scope for comparative advantage. The model yields a gravity-like equation for aggregate trade flows. It is given by

$$(6) \quad x_{ij} = \left( T_i (c_i t_{ij})^{-\vartheta} / \sum_{i=1}^J T_i (c_i t_{ij})^{-\vartheta} \right) y_j,$$

where  $c_i$  denotes the input cost in country  $i$  and  $y_j$  is total expenditure of destination country  $j$ .

Since  $c_i$  and  $T_i$  are generally unknown, it is not possible to isolate the individual trade cost parameter  $t_{ij}$  from Equation (6) in terms of observable variables. However, following the same approach as in Equation (5) I can relate the combination of bilateral and domestic trade cost parameters to the ratio of domestic trade,  $x_{ii}x_{jj}$ , over bilateral trade,  $x_{ij}x_{ji}$ . This yields

$$(7) \quad \tau_{ij}^{\text{EK}} = \left( (t_{ij}t_{ji}) / (t_{ii}t_{jj}) \right)^{1/2} - 1 \\ = \left( (x_{ii}x_{jj}) / (x_{ij}x_{ji}) \right)^{1/(2\vartheta)} - 1.$$

The trade cost measure  $\tau_{ij}^{\text{EK}}$  is thus isomorphic to  $\tau_{ij}$  in Equation (5) with  $\vartheta$  corresponding

10. In fact, equation (21) in Deardorff (1998) can be readily transformed into a trade cost measure that is identical to  $\tau_{ij}$  in Equation (5).

to  $\sigma - 1$ , and the Ricardian model implies virtually the same trade cost measure. Since trade is driven by comparative advantage, the sensitivity of the implied trade costs  $\tau_{ij}^{\text{EK}}$  to trade flows depends on the heterogeneity in countries' relative productivities, determined by  $\vartheta$ . But in Anderson and van Wincoop's (2003) consumption-based model, where trade is driven by love of variety, the sensitivity depends on the degree of product differentiation, determined by  $\sigma$ .<sup>11</sup>

A low  $\sigma$  indicates a high degree of differentiation across products, whereas a low  $\vartheta$  indicates a high variation of productivity. The two trade cost measures imply that higher heterogeneity corresponds to higher relative trade frictions.<sup>12</sup> The intuition is that higher heterogeneity provides a larger incentive to trade. If heterogeneity is high but international trade flows are small, it must be the case that international integration is impeded by relatively large international trade barriers.

### C. Trade Costs in Heterogeneous Firms Models

Turning to a different class of models, I consider the trade theories with heterogeneous firms by Chaney (2008) and Melitz and Ottaviano (2008). Firms have different levels of productivity, depending on their draws from a Pareto distribution with shape parameter  $\gamma$ .

Chaney (2008) builds on the seminal paper by Melitz (2003) where each firm produces a unique product but faces bilateral fixed costs of exporting,  $f_{ij}$ . He derives the following aggregate gravity equation:

$$(8) \quad x_{ij} = \mu \frac{y_i y_j}{y^W} \left( \frac{w_i t_{ij}}{\lambda_j} \right)^{-\gamma} (f_{ij})^{-\left(\frac{\gamma}{\sigma-1}-1\right)},$$

where  $\mu$  is the weight of differentiated goods in the consumer's utility function,  $w_i$  is workers' productivity in country  $i$ , and  $\lambda_j$  is a remoteness variable akin to multilateral resistance.<sup>13</sup> Once again, I can relate the combination of bilateral and domestic trade cost parameters to the ratio

11. See Eaton and Kortum (2002, footnote 20) for more details on the similarities between the Ricardian model and theories based on the Armington assumption.

12. This is true if the ratio of domestic over bilateral trade is larger than one, which is generally the case in the data.

13. The gravity equation implicitly assumes that the economy can be modeled as having only one sector of differentiated products. This can easily be extended to multiple sectors.

of domestic and bilateral trade flows to obtain (9)

$$\begin{aligned}\tau_{ij}^{\text{Ch}} &= ((t_{ij}t_{ji})/(t_{ii}t_{jj}))^{1/2} \\ &\quad \times ((f_{ij}f_{ji})/(f_{ii}f_{jj}))^{(1/2)(1/(\sigma-1)-1/\gamma)} - 1 \\ &= ((x_{ii}x_{jj})/(x_{ij}x_{ji}))^{1/(2\gamma)} - 1.\end{aligned}$$

The trade cost measure  $\tau_{ij}^{\text{Ch}}$  captures both variable and fixed trade costs. Its sensitivity to trade flows depends on the productivity distribution parameter  $\gamma$  that governs the entry and exit of firms into export markets.<sup>14</sup>

Melitz and Ottaviano (2008) use non-CES preferences that give rise to endogenous mark-ups. Heterogeneous firms face sunk costs of market entry  $f_E$  that can be interpreted as product development and production start-up costs. When exporting, the firms only face variable costs and no fixed costs of exporting. They yield the following gravity equation:

$$(10) \quad x_{ij} = \frac{1}{2\delta(\gamma+2)} N_i^E \psi_i L_j (c_j^d)^{\gamma+2} (t_{ij})^{-\gamma},$$

where  $\delta$  is a parameter from the utility function that indicates the degree of product differentiation.  $N_i^E$  is the number of entrants in country  $i$ .  $\psi_i$  is an index of comparative advantage in technology.  $L_j$  denotes the number of consumers in country  $j$ .  $c_j^d$  is the marginal cost cut-off above which domestic firms in country  $j$  do not produce. As above, the only bilateral variable in Equation (10) is the trade cost factor  $t_{ij}$ . All other variables are country-specific and therefore drop out when the ratio of domestic to bilateral trade flows is considered. Thus,

$$(11) \quad \begin{aligned}\tau_{ij}^{\text{MO}} &= ((t_{ij}t_{ji})/(t_{ii}t_{jj}))^{1/2} - 1 \\ &= ((x_{ii}x_{jj})/(x_{ij}x_{ji}))^{1/(2\gamma)} - 1.\end{aligned}$$

The trade cost measure  $\tau_{ij}^{\text{MO}}$  is exactly the same function of observable trade flows as  $\tau_{ij}^{\text{Ch}}$ . The

14. For the case of non-zero trade flows, the heterogeneous firms model by Helpman, Melitz, and Rubinstein (2008) is consistent with the same trade cost measure, that is,  $\tau_{ij}^{\text{HMR}} = \tau_{ij}^{\text{Ch}}$ . In their notation, non-zero trade flows imply  $V_{ij} > 0$ . Additional assumptions to obtain this result are: the existence of positive fixed costs for domestic sales,  $f_{ii} > 0$ , the possibility of positive domestic variable trade costs,  $t_{ii} \geq 1$ , and, as in Appendix 2 of their paper, no upper bound in the support of the productivity distribution,  $a_L = 0$ . For the case of zero trade flows, trade costs can generally not be inferred as proposed here. Depending on the model, zero trade flows typically imply prohibitive fixed costs of exporting.

difference in interpretation is that fixed costs do not enter  $\tau_{ij}^{\text{MO}}$  because firms only face variable costs of exporting.

### III. TAKING THE TRADE COST MEASURE TO THE DATA

As an illustration of the relative trade cost measure  $\tau_{ij}$  derived in the previous section, I compute it for a number of major trading partners using annual data for the period from 1970 to 2000.

All bilateral aggregate trade data are taken from the International Monetary Fund (IMF) Direction of Trade Statistics (DOTS) and denominated in U.S. dollars.<sup>15</sup> Data for intranational trade  $x_{ii}$  are not directly available but can be constructed following the approach of Wei (1996). Because of market clearing intranational trade can be expressed as total income minus total exports,  $x_{ii} = y_i - x_i$ , where total exports  $x_i$  are defined as the sum of all exports from country  $i$ ,  $x_i \equiv \sum_{j \neq i} x_{ij}$ . However, gross domestic product (GDP) data are not suitable as income  $y_i$  because they are based on value added, whereas the trade data are reported as gross shipments. Moreover, GDP data include services that are not covered by the trade data.<sup>16</sup> To get the gross shipment counterpart of GDP excluding services I follow Wei (1996) in constructing  $y_i$  as total goods production based on the OECD's structural analysis (STAN) database.<sup>17</sup> The production data are converted into U.S. dollars by the period average exchange rate taken from the IMF international financial statistics (IFS).

As the trade cost measure can be derived from various models (see Equations [5], [7], [9], and [11]), it potentially depends on different parameters, namely the elasticity of substitution  $\sigma$ , the Fréchet parameter  $\vartheta$ , and the Pareto parameter  $\gamma$ . Anderson and van Wincoop (2004) survey estimates of  $\sigma$  and conclude that it typically falls in the range of 5–10. Eaton and Kortum (2002) report their baseline estimate for  $\vartheta$  as 8.3.<sup>18</sup> Helpman, Melitz, and Yeaple (2004,

15. See Appendix 2 for details.

16. Anderson (1979) acknowledges nontradable services and models the spending on tradables as  $\phi y_i$ , where  $\phi$  is the fraction of total income spent on tradables. But  $\phi y_i$  would still be based on value added.

17. Wei (1996) uses production data for agriculture, mining, and total manufacturing. Also see Nitsch (2000).

18. This estimate is based on trade data and falls in the middle of the range of estimates based on other data. They estimate  $\vartheta = 12.9$  based on price data and  $\vartheta = 3.6$  based on wage data.

FIGURE 1

The U.S. Relative Bilateral Trade Cost Measure with Canada and Mexico

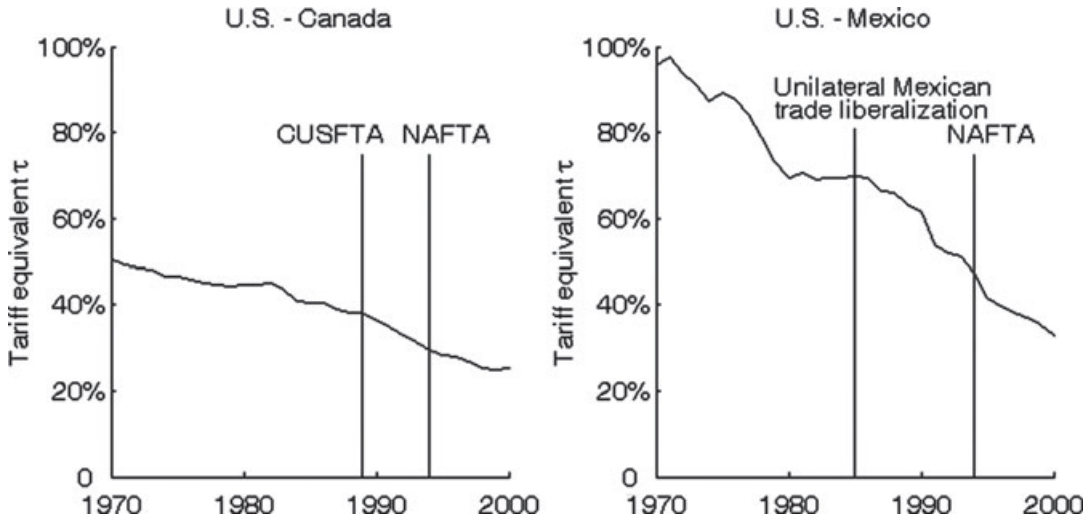


figure 3) estimate  $\gamma/(\sigma - 1)$  to be around unity, which implies  $\gamma \approx \sigma$  for sufficiently large  $\sigma$ . Chaney (2008) estimates  $\gamma/(\sigma - 1)$  as roughly equal to 2, which suggests a higher value for  $\gamma$ , but Corcos et al. (2007) estimate relatively low magnitudes of  $\gamma$ . Given these estimates I proceed by following Anderson and van Wincoop (2004) in setting  $\sigma = 8$ , which corresponds to  $\vartheta, \gamma = 7$ .<sup>19</sup> This can be seen as a ballpark parameter value suitable for aggregate trade flows. As I discuss in Section V, the overall results are not sensitive to this particular value.

#### A. The Trade Cost Measure for the United States

Figure 1 illustrates the relative bilateral trade cost measure for the United States with its two biggest trading partners, Canada and Mexico. The measure fell dramatically with Mexico (from 96% to 33%) and also with Canada (from 50% to 25%). The United States experienced a clear downward trend in relative trade costs with both its neighbors already prior to the NAFTA (effective from 1994), the Canada–U.S. Free Trade Agreement (CUSFTA, effective from 1989), and unilateral Mexican trade liberalization (from 1985).

It is important to stress that these numbers represent a measure of bilateral relative to domestic trade costs. For example, take the result that U.S.–Canadian measure stands at 25% in the year 2000. Suppose that a particular good produced in either the United States or Canada costs \$10.00 at the factory gate and abstract from possible fixed costs of exporting.<sup>20</sup> Also suppose that domestic wholesale and retail distribution costs are 55% ( $t_{ii} = 1.55$ ), which is the representative domestic distribution cost across OECD countries as reported by Anderson and van Wincoop (2004). A domestic consumer could therefore buy the product for \$15.50, whereas a consumer abroad would have to pay \$19.40 ( $t_{ij} = 1.94 = 1.55 \times 1.25$ ). This example illustrates that the absolute domestic trade costs ( $\$5.50 = \$15.50 - \$10.00$ ) can be substantially bigger than the absolute cost of crossing the border ( $\$3.90 = \$19.40 - \$15.50$ ). Of course, this particular example is based on an aggregate average and should be interpreted as such. In practice, trade costs can vary considerably across goods. For instance, perishable goods are more likely to be transported by air freight instead of less expensive truck or ocean shipping (see Chen and Novy 2011).

Table 1 reports the levels and the percentage decline in the U.S. relative bilateral trade cost

19. The exponent of the ratio of domestic to bilateral trade flows in Equation (5) is  $1/(2(\sigma - 1))$ , which corresponds to  $1/(2\vartheta)$  and  $1/(2\gamma)$  in Equations (7), (9), and (11).

20. In Equation (9) this would mean  $f_{ij} = f \forall i, j$  so that the fixed costs drop out of the expression for  $\tau_{ij}^{\text{Ch}}$ .



**TABLE 1**  
The Trade Cost Measure for the United States

Partner Country	Tariff Equivalent $\tau_{ij}$ in %		Percentage Change
	1970	2000	
Canada	50	25	-50
Germany	95	70	-26
Japan	85	65	-24
Korea	107	70	-35
Mexico	96	33	-66
UK	95	63	-34
Simple average	88	54	-38
Trade-weighted average	74	42	-44

*Notes:* All numbers are in percent and rounded off to integers. Countries listed are the six biggest U.S. export markets as of 2000. Computations based on Equation (5).

measure between 1970 and 2000 with its six biggest export markets as of 2000. In descending order these are Canada, Mexico, Japan, the United Kingdom, Germany, and Korea.<sup>21</sup> The measure exhibits considerable heterogeneity across country pairs that would be masked by a one-size-fits-all measure of trade costs. The decline has been most dramatic with Mexico and Canada and has been sizeable with Korea, the United Kingdom, Germany, and Japan. The trade-weighted average of the U.S. relative trade cost measure declined by 44% between 1970 and 2000, corresponding to an annualized decline of 1.9% per year.<sup>22</sup> Its 2000 level stands at 42%.

The magnitudes of the relative bilateral trade cost measure in Table 1 are entirely consistent with cross-sectional evidence from the literature. For the year 1993, Anderson and van Wincoop (2004) report a 46% tariff equivalent of overall U.S.–Canadian trade costs, compared to 31% in Figure 1.<sup>23</sup> The reason why the number reported by Anderson and van Wincoop (2004) is somewhat higher is that they use GDP data as opposed to production data to compute trade costs. In fact, when using GDP data I obtain a

21. These six countries are those for which the 2000 share of U.S. exports exceeded 3%. Between 1970 and 2000 their combined share of U.S. exports fluctuated between 43% and 58%.

22.  $x = -0.019$  is the solution to  $42 = 74 \times (1 + x)^{30}$ .

23. Anderson and van Wincoop (2004) calculate the tariff equivalent as the trade-weighted average barrier for trade between U.S. states and Canadian provinces relative to the trade-weighted average barrier for trade within the United States and Canada, using a trade cost function that includes a border-related dummy variable and distance.

U.S.–Canadian trade cost measure of 47% for 1993, almost exactly the 46% value reported by Anderson and van Wincoop (2004).<sup>24</sup> But GDP data tend to overstate the extent of intranational trade and thus the level of trade costs because they include services.<sup>25</sup> I therefore prefer to follow Wei (1996) in using merchandise production data to match the trade data more accurately. Eaton and Kortum (2002) report bilateral tariff equivalents based on data for 19 OECD countries in 1990. For countries that are 750–1,500 miles apart, an elasticity of substitution of  $\sigma = 8$  implies a trade cost range of 58%–78%, consistent with the magnitudes in Table 1.

It is important to point out that the trade cost measure  $\tau_{ij}$  captures not only trade costs in the narrow sense of transportation costs and tariffs but also trade cost components such as language barriers and currency barriers. In their survey of trade costs, Anderson and van Wincoop (2004) show that such non-tariff barriers are substantial. They suggest that bilateral transport costs on their own constitute a tariff equivalent of only 10.7% for the U.S. average, a value which is substantially lower than the numbers in Table 1. Likewise, world average cost, insurance, and freight/free on board (c.i.f./f.o.b.) ratios reported by the IMF only stand around 3% for the year 2000.<sup>26</sup> Kee, Nicita, and Olarreaga (2009) compute trade restrictiveness indices that are based on tariffs and non-tariff barriers such as import quotas, subsidies, and antidumping duties. The tariff equivalent of the U.S. trade restrictiveness index is 29%, which is also below the U.S. average in Table 1.

24. For  $\sigma = 5$  and  $\sigma = 10$  Anderson and van Wincoop (2004, Table 7) report 1993 U.S.–Canadian trade cost tariff equivalents of 91% and 35%, respectively. The corresponding numbers based on (5) are 97% and 35% when using GDP data and 61% and 24% when using production data.

25. Specifically, intranational trade is given by  $x_{ii} = y_i - x_i$ . As GDP data include services and as the service share of GDP has continually grown, the use of GDP data for  $y_i$  overstates  $x_{ii}$  compared to the use of production data despite the fact that imported intermediate goods are included in the trade data (Helliwell 2005). Novy (2007) develops a trade cost model with nontradable goods, showing that only the tradable part of output enters the model's micro-founded gravity equation.

26. The simple correlation between the IMF c.i.f./f.o.b. ratio and the trade cost measure for the full sample of countries in Section IIIB from 1970 to 2000 stands at 30%. The correlation is slightly higher for individual years, standing at 42%, 40%, 33%, and 41% for 1970, 1980, 1990, and 2000, respectively. Given that the c.i.f./f.o.b. ratio only captures a subset of trade cost elements, it is not surprising that the correlation is less than perfect. However, the c.i.f./f.o.b. data should be treated with caution since their quality is questionable (Hummels and Lugovskyy 2006). See Appendix 2 for details.

### B. The Trade Cost Measure for a Larger Sample

I now present the relative trade cost measure  $\tau_{ij}$  for a larger sample of countries. The sample is balanced and includes 13 OECD countries for which the full set of annual production data from 1970 to 2000 was available from the OECD STAN database. These countries are Canada, Denmark, Finland, France, Germany, Italy, Japan, Korea, Mexico, Norway, Sweden, the United Kingdom, and the United States. Although this is not a large number of countries, most of them are developed countries representing the majority of the global economy. Together they form 78 bilateral pairs per year ( $=13 \times 12/2$ ) and thus 2,418 for the entire sample ( $=78 \times 31$  years).

Table A1 in the appendix provides the values of the tariff equivalent  $\tau_{ij}$  for each country averaged over all its trading partners. For example, the average Canadian relative trade cost measure declined from 131% in 1970 to 101% in 2000. As can be seen from the final column of Table A1, the average for the entire sample stands at 144% in 1970 and 94% in 2000, which corresponds to a decline of around one-third. As indicated in the bottom row, the trade cost measure varies considerably across countries. The averages over time are highest for Mexico and Korea and lowest for Germany and the United Kingdom. But as the sample is heavy in European countries, non-European countries appear relatively remote and thus can be expected to be characterized by higher inferred trade costs in this setting.<sup>27</sup>

In addition, I run a number of regressions to understand whether the trade cost measure is sensibly related to common trade cost proxies from the gravity literature. Those proxies can be divided into two groups. The first group consists of geographical variables including logarithmic bilateral distance between the two countries in an observation, a dummy variable that indicates whether the two countries are adjacent and share a land border, and an island indicator variable that takes on the value 1 if one of the trading partners is an island, the value 2 if both partners are islands, and 0 otherwise. The second group consists of institutional variables capturing various historical

and political features. They include a common language dummy and a tariff variable combining the ratings of tariff regimes for the two trading partners as published by the Fraser Institute in the Freedom of the World Report. Further institutional variables are a dummy variable for free trade agreements such as NAFTA or the European Common Market and a currency union dummy variable. There are no currency union relationships other than amongst the four Euro countries in the sample (Finland, France, Germany, Italy) toward the end of the period. Note that the only regressors that vary over time are the tariff variable, the free trade agreement dummy, and the currency union dummy. Appendix 2 explains the variables in more detail and gives the exact data sources.

Table 2 presents the regression results. The dependent variable is the logarithmic relative trade cost measure,  $\ln(\tau_{ij})$ . Columns 1–4 report regressions for individual years at ten-year intervals. As the trade cost measure nets out multilateral resistance components, these regressions do not have to include additional fixed effects to control for multilateral resistance. The explanatory power of the trade cost proxies is fairly high, with the  $R^2$  ranging between 65% and 72%. Column 5 reports pooled results with an  $R^2$  of 63%.

The regressors have the expected signs whenever they are significant. Distance is positively related to trade costs, whereas adjacency is associated with lower trade costs. Moreover, trading relationships involving island countries are also associated with lower trade costs since those countries have easy access to the sea and traditionally tend to be relatively heavily involved in international commerce. A common language is related to lower trade costs as it likely facilitates bilateral transactions and often reflects cultural similarity; tariffs are naturally associated with higher trade costs while free trade agreements have the opposite effect, although these institutional coefficients are not always significant. Finally, currency unions are also linked to lower bilateral trade costs.

For completeness, column 6 reports a pooled regression that adds country and time fixed effects. The fixed effects increase the  $R^2$  to 87%, and compared to column 5 some of the regressors become insignificant. But it is unclear whether the fixed effects capture trade cost elements that are harder to observe such

27. For a comparison of the post-World War II period to the period from 1870 to 1913 and the interwar period, see Jacks, Meissner, and Novy (2008 and 2011).

**TABLE 2**  
Regressing the Trade Cost Measure on Observable Trade Cost Proxies

Trade Cost Proxies	(1) 1970	(2) 1980	(3) 1990	(4) 2000	(5) Pooled	(6) Pooled
<i>Geographical variables</i>						
ln(Distance)	0.252** (0.033)	0.220** (0.039)	0.255** (0.035)	0.304** (0.033)	0.233** (0.033)	0.313** (0.038)
Adjacency	-0.091 (0.094)	-0.286* (0.111)	-0.270** (0.102)	-0.364* (0.161)	-0.225* (0.113)	-0.154 (0.082)
Island	-0.268** (0.084)	-0.130* (0.050)	-0.172** (0.052)	-0.135** (0.047)	-0.180** (0.048)	-0.372** (0.055)
<i>Institutional variables</i>						
Common language	-0.389** (0.117)	-0.153 (0.087)	-0.157 (0.103)	-0.142 (0.139)	-0.223* (0.101)	-0.027 (0.057)
ln(Tariffs)	0.157* (0.064)	0.162** (0.056)	0.334 (0.549)	-0.164 (0.390)	0.170** (0.039)	-0.021 (0.023)
Free trade agreement	-0.339** (0.058)	-0.017 (0.083)	0.022 (0.083)	0.124 (0.071)	-0.116* (0.049)	-0.068 (0.045)
Currency union				-0.047 (0.116)	-0.257** (0.068)	-0.126** (0.043)
Country and time fixed effects	No	No	No	No	No	Yes
Number of observations	78	78	78	78	312	312
R <sup>2</sup>	0.65	0.72	0.67	0.72	0.63	0.87

*Notes:* The dependent variable is the logarithmic tariff equivalent  $\ln(\tau_{ij})$ , robust OLS estimation. Standard errors given in parentheses, constants not reported. Country and time fixed effects in column 6 not reported.

\*\* and \* indicates significance at the 1% and 5% level, respectively.

as red tape and technical barriers to trade (which, in the case of country fixed effects, would be specific to individual trading partners), or whether they reflect preference parameters (see Section V for a discussion of preference parameters).

#### IV. DECOMPOSING THE GROWTH OF TRADE

Bilateral trade has grown strongly between most countries in recent decades. It is an important question whether this increase in trade is simply the result of secular economic growth or whether the increase can be related to reductions in trade frictions. The gravity equation together with the relative trade cost measure  $\tau_{ij}$  provide a simple analytical framework to address this question. I will use the gravity model by Anderson and van Wincoop (2003) for the exposition, but I refer to Appendix 1 where I show that the growth of trade can be similarly decomposed by using the other gravity equations described in Section II.

As the first step I take the natural logarithm and then the first difference of Equation (3).

This yields

(12)

$$\Delta \ln(x_{ij}x_{ji}) = 2\Delta \ln(y_i y_j / y^W) + (1 - \sigma) \times \Delta \ln(t_{ij}t_{ji}) - (1 - \sigma) \Delta \ln(\Pi_i P_i \Pi_j P_j).$$

Equation (12) relates the growth of bilateral trade,  $\Delta \ln(x_{ij}x_{ji})$ , to three driving forces: the growth of the two countries' economies relative to world output, changes in bilateral trade costs,  $\Delta \ln(t_{ij}t_{ji})$ , and changes in the two countries' multilateral trade barriers,  $\Delta \ln(\Pi_i P_i \Pi_j P_j)$ . The bilateral trade cost factors  $t_{ij}t_{ji}$  are unknown. But we know from Equation (5) that the trade cost measure  $\tau_{ij}$  provides an expression for  $t_{ij}t_{ji}$  relative to domestic trade costs  $t_{ii}t_{jj}$  as a function of observable trade flows. I therefore substitute  $\tau_{ij}$  into Equation (12) to obtain

$$\Delta \ln(x_{ij}x_{ji}) = 2\Delta \ln(y_i y_j / y^W) + 2(1 - \sigma) \times \Delta \ln(1 + \tau_{ij}) - 2(1 - \sigma) \Delta \ln(\Phi_i \Phi_j),$$

where  $\Phi_i$  is shorthand for country  $i$ 's multilateral resistance relative to domestic trade costs,

$$\Phi_i = (\Pi_i P_i / t_{ii})^{1/2}.$$

Finally, I divide by the left-hand side to arrive at the following bilateral decomposition equation:

$$(13) \quad 100\% = \underbrace{\frac{2\Delta \ln \left( \frac{y_i y_j}{y^W} \right)}{\Delta \ln (x_{ij} x_{ji})}}_{(a)} + \underbrace{\frac{2(1-\sigma)\Delta \ln (1 + \tau_{ij})}{\Delta \ln (x_{ij} x_{ji})}}_{(b)} - \underbrace{\frac{2(1-\sigma)\Delta \ln (\Phi_i \Phi_j)}{\Delta \ln (x_{ij} x_{ji})}}_{(c)}.$$

Equation (13) decomposes the growth of bilateral trade into three contributions: (a) the contribution of income growth, (b) the contribution of the decline in relative bilateral trade costs, and (c) the contribution of the decline in relative multilateral resistance.<sup>28</sup> For example, if all relative bilateral trade barriers were constant over time, then contribution (b) would be zero and the growth of trade would be driven by the growth of income. But if relative bilateral trade costs fall (i.e.,  $\Delta \ln (1 + \tau_{ij}) < 0$ ), then contribution (b) becomes positive.<sup>29</sup> If relative multilateral trade barriers fall (i.e.,  $\Delta \ln (\Phi_i \Phi_j) < 0$ ), then contribution (c) becomes negative. This negative contribution can be interpreted as a trade diversion effect. If trade barriers with other countries fall, trade with those countries increases but bilateral trade between  $i$  and  $j$  decreases.

It is important to note that Equation (13) is not estimated. Instead, I decompose the growth of bilateral trade conditional on the theoretical

28. Baier and Bergstrand (2001) further decompose the product of incomes,  $y_i y_j$ , into income shares and the sum of incomes. Define the bilateral income share as  $s_i = y_i / (y_i + y_j)$ . It follows  $y_i y_j = s_i s_j (y_i + y_j)^2$  and thus  $\Delta \ln (y_i y_j) = \Delta \ln (s_i s_j) + 2\Delta \ln (y_i + y_j)$ .  $\Delta \ln (s_i s_j)$  could then be interpreted as the contribution of income convergence. Also see Debaere (2005), Helpman (1987), and Hummels and Levinsohn (1995). However, after controlling for tariff cuts and transport cost reductions Baier and Bergstrand (2001) find virtually no effect of income convergence on trade growth. See Jacks, Meissner, and Novy (2011) for a similar result based on historical data.

29. Recall  $\sigma > 1$ . To be precise, a fall in bilateral trade costs also leads to a slight fall in  $\Phi_i \Phi_j$  because multilateral resistance is a weighted average of all bilateral trade costs. Since the fall in  $\Phi_i \Phi_j$  works against the effect of falling bilateral trade costs, contribution (b) in principle overstates their effect but in practice the overstatement is negligible.

gravity framework. Contribution (a) is given by the data. Contribution (b) is also given by the data through Equation (5). Likewise, contribution (c) is given by the solution for multilateral resistance in Equation (2).<sup>30</sup>

As I show in Appendix 1, decomposition equations very similar to Equation (13) can be derived from the models by Eaton and Kortum (2002), Chaney (2008), and Melitz and Ottaviano (2008). The quantitative contributions of income growth (a), declining relative bilateral trade costs (b), and relative multilateral factors (c) turn out exactly the same. But the interpretation of components (b) and (c) slightly differs from model to model. For example, in the heterogeneous firms model by Chaney (2008) components (b) and (c) capture not only variable trade costs but also fixed trade costs.

#### A. Decomposing the Growth of U.S. Trade

I apply Equation (13) to decompose the growth of U.S. bilateral trade. As in Table 1, I consider the six biggest U.S. export markets as of 2000. Table 3 reports the decomposition results.

Table 3 shows that for the period from 1970 to 2000 the growth of income can explain more than half of the growth of U.S. bilateral trade. Income growth can explain almost all of the trade growth with Korea (92.3%) but only just over 50% with Mexico and the United Kingdom. The decline of relative bilateral trade costs on average provides the second most important contribution to the growth of bilateral trade. This contribution is biggest for Mexico (57.4%) and smallest for Japan (28.3%).

The decline of multilateral trade barriers diverts trade away from the United States. Take the example of Korea. Korean trade barriers with other countries dropped considerably over time so that the diversion effect is relatively strong for Korea (−25.8%). The decline in multilateral resistance partially offsets the effect of declining bilateral trade costs so that the overall role of trade costs (33.5%−25.8% = 7.7%) is modest compared to other countries in the sample.

The multilateral resistance effect is actually slightly positive for the United Kingdom

30. Equation (5) implies  $2(1-\sigma)\Delta \ln (1 + \tau_{ij}) = \Delta \ln (x_{ij} x_{ji}) - \Delta \ln (x_{ii} x_{jj})$ . Equation (2) implies  $2(1-\sigma)\Delta \ln (\Phi_i \Phi_j) = \Delta \ln ((y_i / y^W) / (x_{ii} / y_i)) + \Delta \ln ((y_j / y^W) / (x_{jj} / y_j))$ . Note that the decomposition does not depend on the value of the elasticity of substitution  $\sigma$  even if it changes over time.

**TABLE 3**  
Decomposing the Growth of U.S. Bilateral Trade

Partner Country	Growth in Trade	Contribution of the Growth in Income	Contribution of the Decline in Relative Bilateral Trade Costs	Contribution of the Decline in Relative Multilateral Resistance	Total
Canada	609	65.3	+42.3	-7.6	=100
Germany	526	67.1	+36.4	-3.5	=100
Japan	580	79.3	+28.3	-7.6	=100
Korea	832	92.3	+33.5	-25.8	=100
Mexico	944	54.8	+57.4	-12.2	=100
UK	578	55.9	+43.8	+0.3	=100

*Notes:* Growth between 1970 and 2000. All numbers in percent. Countries listed are the six biggest U.S. export markets as of 2000. Computations based on Equation (13). Also see Appendix 1.

(+0.3%). This means that on average relative multilateral trade barriers for the United Kingdom increased over time, making trade with the United States relatively more attractive. This result is particular to the United Kingdom as a major former colonial power since the United Kingdom's traditionally strong trade relationships with former colonies such as Australia and New Zealand became weaker over time.<sup>31</sup>

In summary, Table 3 demonstrates that income growth is the biggest driving force behind the increase in bilateral U.S. trade. This result is consistent with the findings of Baier and Bergstrand (2001) who argue that two-thirds of the growth in trade amongst OECD countries between 1958 and 1988 can be explained by the growth of income.<sup>32</sup> The innovation of decomposing the growth of trade with Equation (13) is to explicitly take multilateral trade barriers into account. They are important because in general equilibrium, the trade flows between any two countries are affected both by bilateral and multilateral trade barriers.<sup>33</sup>

## V. DISCUSSION

*A comprehensive trade cost measure.* The trade cost measure in Equation (5) is comprehensive

31. Also see Head, Mayer, and Ries (2010).

32. Whalley and Xin (forthcoming) calibrate a general equilibrium model of world trade. For a sample of both OECD and non-OECD countries they find that income growth explains 76% of the growth of international trade between 1975 and 2004. This finding suggests that trade barrier reductions might have been less important for explaining the trade growth of non-OECD countries. Also see Jacks, Meissner, and Novy (2011) for results based on long-run historical data.

33. Another difference is that Baier and Bergstrand (2001) only consider tariffs and transportation costs, whereas trade costs here are more broadly defined to include informational, institutional, and non-tariff barriers to trade.

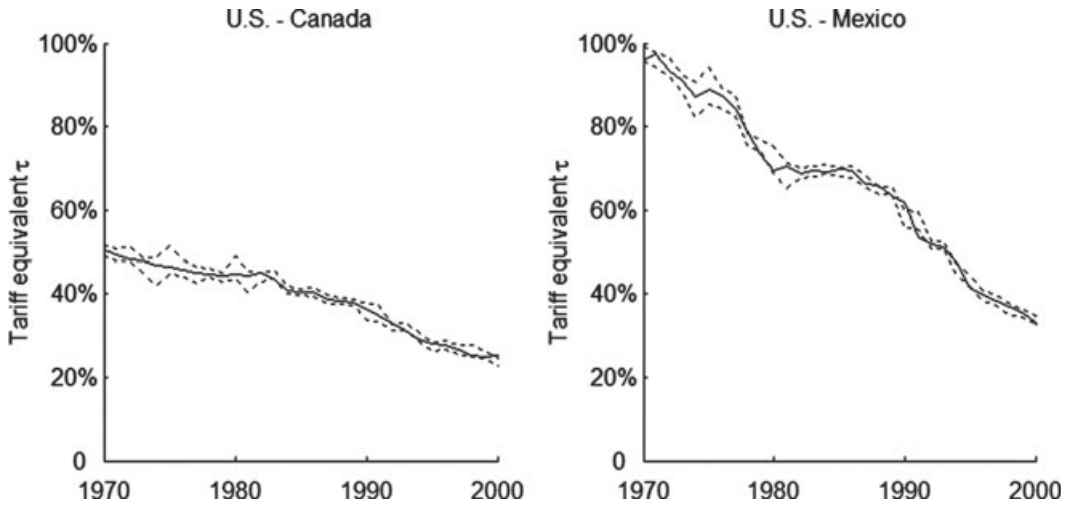
because it captures a wide range of trade cost components such as transportation costs and tariffs, but also components that are not directly observable such as the costs associated with language barriers and red tape. It should therefore be regarded as an upper bound that captures all trade cost elements that make international trade more costly over and above domestic trade. Instead, direct measures of specific trade cost components can be seen as a lower bound of trade costs, for example international transportation costs reported by Hummels (2007). As discussed in Section III.A, U.S. transport costs correspond to a tariff equivalent of around 10% on average, which is roughly a quarter of the average trade cost measure for the United States in 2000 in Table 1. Average c.i.f./f.o.b. ratios are typically even lower. The trade restrictiveness indices by Kee, Nicita, and Olarreaga (2009), which capture both tariff and non-tariff barriers, stand at 29% for the United States, lower than the average in Table 1.

*Measurement error.* The trade cost measure  $\tau_{ij}$  is computed based on Equation (5) by plugging in the trade data for  $x_{ij}x_{ji}$  and  $x_{ii}x_{jj}$ . Thus, trade costs are inferred without allowing for any stochastic elements. One potential concern with this approach is that the trade data might be subject to measurement error. In particular, suppose that the observed trade flow  $x_{ij}$  is a function of the true trade flow  $x_{ij}^*$  and an additive measurement error  $u_{ij}$  such that  $\ln(x_{ij}) = \ln(x_{ij}^*) + u_{ij}$ . This measurement error might contaminate the trade cost measure.

To address this concern I rearrange Equation (4) to obtain the following log-linear regression

FIGURE 2

The U.S. Relative Bilateral Trade Cost Measure with 99% Confidence Intervals



equation:

$$(14) \quad \ln \left( \frac{(x_{ij}x_{ji})}{(x_{ii}x_{jj})} \right) \\ = \beta \ln \left( \frac{(t_{ii}t_{jj})}{(t_{ij}t_{ji})} \right) + \alpha_t + \varepsilon_{ij},$$

where  $\alpha_t$  are annual time dummies and  $\varepsilon_{ij}$  is a composite error term given by  $\varepsilon_{ij} = u_{ij} + u_{ji} - u_{ii} - u_{jj}$ . As the trade cost parameters are unobservable, I instead substitute country pair fixed effects  $\alpha_{ij}$ . The country pair fixed effects are allowed to vary over time to reflect changes in trade costs. As annual fixed effects would leave no degrees of freedom, I choose biennial country pair fixed effects instead. The sample includes the United States as well as the countries listed in Table 1 from 1970 to 2000.<sup>34</sup> The regression yields a very high  $R^2$  (=0.99) with the large majority of fixed effects tightly estimated ( $p$ -values <.01).

As the final step, I generate predicted values of the dependent variable from the estimated coefficients, and I use the predicted values to construct a predicted trade cost measure  $\hat{\tau}_{ij}$  based on Equation (5).  $\hat{\tau}_{ij}$  is supposed to strip out measurement error by construction as it does not include the regression residual that

corresponds to  $\varepsilon_{ij}$ . Figure 2 plots the “raw” trade cost measure  $\tau_{ij}$  as in Figure 1 (solid lines) as well as the 99% confidence intervals (dotted lines) that correspond to the predicted measure  $\hat{\tau}_{ij}$ .<sup>35</sup> The intervals are somewhat wider for the 1970s and early 1980s, which suggests lower data quality in that period. Overall, the raw trade cost measure tends to fall within the confidence intervals and it therefore seems unlikely that  $\tau_{ij}$  is significantly distorted by measurement error.

As an additional check, I rerun regression (14), replacing the country pair fixed effects by standard trade cost proxies. I use the logarithm of bilateral distance, an adjacency dummy, a common language dummy as well as country fixed effects to capture the domestic trade cost parameters  $t_{ii}$  and  $t_{jj}$ . As in standard gravity regressions, these trade cost proxies are highly significant. But a major problem with this specification is that the explanatory variables are time-invariant and thus not able to capture trade cost changes over time.<sup>36</sup> Instead, the setup imposes a common time trend governed by the annual time dummies  $\alpha_t$ . As a

34. There are 651 observations (21 country pairs  $\times$  31 years). Standard errors are robust and clustered around country pairs. The last subperiod comprises 3 instead of 2 years (1998–2000). Other subperiod lengths, say, quinquennial or decadal, would be possible but would not affect the results qualitatively.

35. The confidence intervals are calculated with the delta method. To keep the graph clear, the predicted measure  $\hat{\tau}_{ij}$  is not plotted. It would be located in the middle of the intervals.

36. Another potential problem is specification error. The functional form of the implied trade cost function is arbitrary. For a discussion see Anderson and van Wincoop (2004, section 3.3).

result, the predicted trade cost measure fails to pick up pair-specific time trends. For example, it fails to match the relatively strong decline in U.S.–Mexican trade costs during the 1990s that coincides with the establishment of NAFTA.

*Income elasticities.* The trade cost measure is derived from gravity equations that have a unit income elasticity.<sup>37</sup> Although this is a standard feature of gravity models, empirical researchers sometimes estimate income elasticities that deviate from unity, for example, Santos Silva and Tenreyro (2006).

Despite the lack of a clear theoretical foundation, assume the income elasticity in gravity equations (1), (6), and (8) were  $\xi \neq 1$  with  $\xi > 0$ . It is easy to show that the trade cost measure  $\tau_{ij}$  is unaffected. The contribution of declining relative bilateral trade costs in decomposition Equation (13) therefore also remains the same. But the contribution of income growth would increase if  $\xi > 1$  and decrease if  $\xi < 1$ , and the contribution of declining multilateral resistance would change in the opposite direction by exactly the same extent.

*Sensitivity to parameter values.* The trade cost measure can be derived from different underlying models and therefore potentially depends on different parameters, namely the elasticity of substitution  $\sigma$ , the Fréchet parameter  $\vartheta$ , and the Pareto parameter  $\gamma$ . Although estimates of these parameters usually fall within certain ranges, there is probably no consensus in the literature as to their precise values (see the discussion in Section III). It turns out that the *levels* of the trade cost measure  $\tau_{ij}$  are quite sensitive to the chosen parameter values.<sup>38</sup> The *changes* of the trade cost measure over time, however, are hardly affected. In fact, as pointed out in Section IV and Appendix 1, the decomposition of the growth of trade in Table 3 is not affected by parameter values at all.<sup>39</sup>

37. In the case of gravity equation (10) there is a unit elasticity with respect to the number of entering firms in the origin country and the number of consumers in the destination country.

38. This is also true for other approaches to measuring trade costs. For example, Anderson and van Wincoop (2004) show that levels of trade cost estimates are typically sensitive to the value of  $\sigma$ .

39. Neither are the regression results of Table 2 qualitatively affected if different parameter values are chosen to compute the trade cost measure  $\tau_{ij}$ . Although individual coefficients naturally change in magnitude, their signs and the patterns of significance are very similar. The  $R^2$ 's are also broadly similar over a wide range of values for  $\sigma$ .

As  $\sigma - 1$  corresponds to  $\vartheta$  and  $\gamma$ , I will focus the discussion on one single parameter,  $\sigma$ . The trade cost measure levels reported in Table 1 and Figure 1 are based on  $\sigma = 8$ , which is in the middle of the common empirical range of 5 to 10 for the elasticity of substitution, as surveyed by Anderson and van Wincoop (2004). For  $\sigma = 8$  the trade-weighted average of U.S. bilateral trade cost measure in Table 1 falls from 74% to 42%, a decline of 44%. In the case of  $\sigma = 10$  the trade-weighted average would fall from 54% to 31%, a similar decline of 42%. In the case of  $\sigma = 5$  the trade-weighted average would fall from 167% to 87%, a decline of 48%. Thus, although the levels are sensitive to the parameter value, the change of the trade cost measure over time is quite robust.

Finally, it might be the case that the elasticity of substitution has changed over time. Broda and Weinstein (2006) estimate elasticities of substitution based on demand and supply relationships for disaggregated U.S. imports. When comparing the period 1972–1988 with 1990–2001, they find that the median elasticity fell marginally. But the difference is not significant for all levels of disaggregation and it is unclear whether there has been a significant change in the elasticity at the aggregate level. If it were the case that the aggregate elasticity fell over time, this would suggest that trade costs have declined less quickly than indicated in Table 1. But quantitatively, this effect would probably not be large.<sup>40</sup>

*The role of preferences.* It is conceivable that consumers predominantly consume domestic goods not because of trade barriers that impede the import of foreign goods but simply because of an inherent home bias in preferences. It is straightforward to incorporate a home bias in preferences into the models outlined in Section II (for an example see Warnock 2003). Their effect would be observationally equivalent to lower domestic trade barriers.<sup>41</sup> As the trade cost measure  $\tau_{ij}$  captures bilateral relative to domestic trade barriers, a home bias in preferences would correspond to inferred trade cost levels that are higher than the “true” underlying levels. Home bias would thus lead to an overestimation of trade cost levels.

40. According to Broda and Weinstein (2006, Table 4) the median elasticity fell from 3.7 to 3.1 at the 7-digit level, from 2.8 to 2.7 at the 5-digit level, and from 2.5 to 2.2 at the 3-digit level.

41. That is, lower  $t_{ii}$  or  $f_{ii}$ .

Likewise, bilateral preference parameters would affect trade flows in a similar manner as bilateral trade costs (see Combes, Lafourcade, and Mayer 2005; Felbermayr and Toubal 2010, for models with bilateral preference weights). Hence, bilateral preference parameters and trade costs could not be identified separately.

However, to the extent that preferences do not vary over time, the proposed trade cost measure is still useful when its change over time is considered. In that case, home bias and bilateral preference parameters can be differenced out. This reinforces the view that changes in the trade cost measure tend to be more instructive than its levels.

Ultimately it is an empirical question whether such preference parameters exert a strong effect on trade flows. Evans (2007) presents micro-evidence showing that locational preferences are negligible in explaining international trade flows compared to transportation costs and tariffs. Likewise, Helpman (1999) argues that there is no clear evidence of home bias in preferences. Further research with micro-data would be helpful to answer this question in more detail.

VI. CONCLUSION

This paper develops a measure of international trade costs that varies across country pairs and over time. The measure is micro-founded and infers bilateral relative to domestic trade costs indirectly from trade data based on a workhorse model of international trade—the gravity equation. I show that the measure can be derived from a range of leading trade theories, including the Ricardian model by Eaton and Kortum (2002), the gravity framework by Anderson and van Wincoop (2003), as well as the heterogeneous firms models by Chaney (2008) and Melitz and Ottaviano (2008). The trade cost measure is a function of observable trade data and can therefore be calculated easily with time series and panel data to track the changes of trade costs over time. This approach obviates the need to impose specific trade cost functions that rely on trade cost proxies such as distance.

In an empirical application I compute relative bilateral trade costs for a number of major trading partners. For example, I find that the U.S. relative trade cost measure on average declined by about 40% between 1970 and 2000. The decline of U.S. relative trade costs has been

particularly strong with its neighbors Mexico and Canada. I also examine the reasons behind the strong growth of U.S. bilateral trade over that period. I find that income growth is the single most important driving factor. Declines in relative bilateral trade costs are in second place but quantitatively also play a substantial role.

APPENDIX 1: DECOMPOSING THE GROWTH OF TRADE

This appendix derives decomposition equations based on the models by Chaney (2008), Eaton and Kortum (2002), and Melitz and Ottaviano (2008). These decomposition equations correspond to Equation (13), which is based on the model by Anderson and van Wincoop (2003). The main result is that the decomposition results in Table 3 are consistent with all these models.

A. Decomposition Based on Eaton and Kortum (2002)

Eaton and Kortum (2002) rewrite gravity equation (6) as

$$x_{ij} = y_i y_j \frac{\left(\frac{t_{ij}}{P_j}\right)^{-\vartheta}}{\sum_{j=1}^J \left(\frac{t_{ij}}{P_j}\right)^{-\vartheta} y_j}$$

where  $P_j$  is the CES price index in country  $j$  and  $y_i$  are total sales of exporter  $i$  defined as  $y_i \equiv \sum_{j=1}^J x_{ij}$ . Multiplying and dividing the right-hand side by world income  $y^W$  yields

$$(A1) \quad x_{ij} = (y_i y_j / y^W) (t_{ij} / (\Pi_i^{EK} P_j))^{-\vartheta},$$

where  $(\Pi_i^{EK})^{-\vartheta} \equiv \sum_{j=1}^J P_j^\vartheta \theta_j t_{ij}^{-\vartheta}$  has a similar structure as the outward multilateral resistance variable  $\Pi_i$  in Equation (1). Gravity equations (A1) and (1) are thus isomorphic and the decomposition equation can be derived as outlined in Section IV. It follows as

$$(A2) \quad 100\% = \underbrace{\frac{2\Delta \ln \left(\frac{y_i y_j}{y^W}\right)}{\Delta \ln (x_{ij} x_{ji})}}_{(a)} + \underbrace{\frac{-2\vartheta \Delta \ln (1 + \tau_{ij}^{EK})}{\Delta \ln (x_{ij} x_{ji})}}_{(b)} - \underbrace{\frac{-2\vartheta \Delta \ln (\Phi_i^{EK} \Phi_j^{EK})}{\Delta \ln (x_{ij} x_{ji})}}_{(c)},$$

where

$$\Phi_i^{EK} = (\Pi_i^{EK} P_i / t_{ii})^{1/2}.$$

Note that the decomposition in Equation (A2) does not depend on the value of  $\vartheta$  even if  $\vartheta$  changes over time. Contribution (a) is given by the data. Contribution (b) is also given by the data through Equation (7), i.e.,  $-2\vartheta \Delta \ln(1 + \tau_{ij}^{EK}) = \Delta \ln(x_{ij} x_{ji}) - \Delta \ln(x_{ii} x_{jj})$ . Contribution (c) is the multilateral residual. The quantitative results are therefore the same as in Table 3.



### B. Decomposition Based on Chaney (2008)

Gravity equation (8) implies that the product of bilateral trade flows is given by

$$x_{ij}x_{ji} = \left(\mu \frac{y_i y_j}{y^W}\right)^2 \left(\frac{w_i w_j t_{ij} t_{ji}}{\lambda_i \lambda_j}\right)^{-\gamma} (f_{ij} f_{ji})^{-\left(\frac{\gamma}{\sigma-1}-1\right)}.$$

Taking the natural logarithm and the first difference leads to

$$\Delta \ln(x_{ij}x_{ji}) = 2\Delta \ln(y_i y_j / y^W) - 2\gamma \Delta \ln(1 + \tau_{ij}^{\text{Ch}}) + 2\gamma \Delta \ln(\Phi_i^{\text{Ch}} \Phi_j^{\text{Ch}}),$$

where  $\tau_{ij}^{\text{Ch}}$  is substituted from Equation (9) and where

$$\Phi_i^{\text{Ch}} = \left(\frac{\mu^{\frac{1}{\sigma-1}} \lambda_i}{w_i t_{ii} (f_{ii})^{\frac{1}{\sigma-1} - \frac{1}{\gamma}}}\right)^{\frac{1}{2}}.$$

$\Phi_i^{\text{Ch}}$  captures multilateral resistance  $\lambda_i$  relative to variable and fixed domestic trade costs, as well as domestic productivity  $w_i$  and the preference weight  $\mu$  consumers put on the differentiated goods sector. The decomposition equation follows as

$$(A3) \quad 100\% = \underbrace{\frac{2\Delta \ln\left(\frac{y_i y_j}{y^W}\right)}{\Delta \ln(x_{ij}x_{ji})}}_{(a)} + \underbrace{\frac{-2\gamma \Delta \ln(1 + \tau_{ij}^{\text{Ch}})}{\Delta \ln(x_{ij}x_{ji})}}_{(b)} - \underbrace{\frac{-2\gamma \Delta \ln(\Phi_i^{\text{Ch}} \Phi_j^{\text{Ch}})}{\Delta \ln(x_{ij}x_{ji})}}_{(c)}.$$

Note that the decomposition in Equation (A3) does not depend on the value of  $\gamma$  even if  $\gamma$  changes over time. Contribution (a) is given by the data. Contribution (b) is also given by the data through Equation (9), that is,  $-2\gamma \Delta \ln(1 + \tau_{ij}^{\text{Ch}}) = \Delta \ln(x_{ij}x_{ji}) - \Delta \ln(x_{ii}x_{jj})$ . Contribution (c) is the multilateral residual whose precise interpretation rests on the elements captured by  $\Phi_i^{\text{Ch}}$ . The quantitative results are therefore the same as in Table 3.

### C. Decomposition Based on Melitz and Ottaviano (2008)

Gravity equation (10) can be rewritten as

$$x_{ij} = \frac{y_i y_j}{y^W} (t_{ij})^{-\gamma} \frac{1}{2\delta(\gamma+2)} \frac{N_i^E}{y_i / y^W} \Psi_i \frac{L_j}{y_j} (c_j^d)^{\gamma+2}$$

so that the product of bilateral trade flows can be expressed as

$$x_{ij}x_{ji} = \left(\frac{y_i y_j}{y^W}\right)^2 (t_{ij} t_{ji})^{-\gamma} \left(\frac{1}{2\delta(\gamma+2)}\right)^2 \times \frac{N_i^E}{y_i / y^W} \frac{N_j^E}{y_j / y^W} \Psi_i \Psi_j \frac{L_i}{y_i} \frac{L_j}{y_j} (c_i^d c_j^d)^{\gamma+2}.$$

Taking the natural logarithm and the first difference leads to

$$\Delta \ln(x_{ij}x_{ji}) = 2\Delta \ln(y_i y_j / y^W) - 2\gamma \Delta \ln(1 + \tau_{ij}^{\text{MO}}) + 2\gamma \Delta \ln(\Phi_i^{\text{MO}} \Phi_j^{\text{MO}}),$$

where  $\tau_{ij}^{\text{MO}}$  is substituted from Equation (11) and where

$$\Phi_i^{\text{MO}} = \left(\frac{\left(\frac{N_i^E}{y_i / y^W} \Psi_i \frac{L_i}{y_i} (c_i^d)^{\gamma+2}\right)^{\frac{1}{2}}}{(2\delta(\gamma+2))^{\frac{1}{2}} t_{ii}}\right)^{\frac{1}{2}}.$$

$\Phi_i^{\text{MO}}$  reflects domestic trade costs  $t_{ii}$ , the number of entrants  $N_i^E$  in country  $i$  relative to its size in the global economy ( $y_i / y^W$ ), the extent of comparative advantage  $\Psi_i$ , per-capita income  $L_i / y_i$  and the marginal cost cut-off  $c_i^d$  above which domestic firms do not produce. Note that both  $N_i^E$  and  $c_i^d$  depend on the bilateral trade costs between all other countries in the world (see equations A.1 and A.2 in Melitz and Ottaviano 2008) so that they have a multilateral interpretation.

The decomposition equation follows as

$$(A4) \quad 100\% = \underbrace{\frac{2\Delta \ln\left(\frac{y_i y_j}{y^W}\right)}{\Delta \ln(x_{ij}x_{ji})}}_{(a)} + \underbrace{\frac{-2\gamma \Delta \ln(1 + \tau_{ij}^{\text{MO}})}{\Delta \ln(x_{ij}x_{ji})}}_{(b)} - \underbrace{\frac{-2\gamma \Delta \ln(\Phi_i^{\text{MO}} \Phi_j^{\text{MO}})}{\Delta \ln(x_{ij}x_{ji})}}_{(c)}.$$

Note that the decomposition in Equation (A4) does not depend on the value of  $\gamma$  even if  $\gamma$  changes over time. Contribution (a) is given by the data. Contribution (b) is also given by the data through Equation (11), i.e.,  $-2\gamma \Delta \ln(1 + \tau_{ij}^{\text{MO}}) = \Delta \ln(x_{ij}x_{ji}) - \Delta \ln(x_{ii}x_{jj})$ . Contribution (c) is the multilateral residual whose precise interpretation rests on the elements captured by  $\Phi_i^{\text{MO}}$ . The quantitative results are therefore the same as in Table 3.

## APPENDIX 2: DATA

Some export data are not available from the IMF DOTS database. Exports from Sweden to Denmark for 1980–1994 are taken from the OECD International Trade by Commodity Statistics (ITCS) instead (for the total of all commodities). Exports from Korea to Denmark, Finland, and Norway for 1970–1975 as well as exports from Finland to Korea for 1970 are taken from the UN Comtrade database. Import data are required to compute the c.i.f./f.o.b. ratio, some of which are not available from the IMF DOTS database. Imports from Denmark to Sweden for 1980–1994 are taken from the OECD ITCS instead (for the total of all commodities). Imports from Denmark, Finland, and Norway to Korea for 1970–1975 as well as imports from Korea to Mexico for 1979 are taken from the UN Comtrade database.

The remainder of this appendix provides more detailed information on the explanatory variables used in Section III.B. The distance data represent great-circle distances between capital cities. They are collected from the website <http://www.indo.com/distance/>. The following variables are taken from Rose's (2000) data set made available on his website: the adjacency dummy, the common language dummy, the free trade agreement dummy, and the island variable. The island variable takes on the value 1 if one of the trading partners is an island and the value 2 if both partners are islands, and 0 otherwise.

Rose's data are updated for the year 2000. Information about recent free trade agreements is available on the WTO website at [http://www.wto.org/english/tratop\\_e/region\\_e/region\\_e.htm](http://www.wto.org/english/tratop_e/region_e/region_e.htm) under "Facts and figures." The currency union dummy only takes on the value 1 for bilateral observations between Finland, France, Germany, and Italy for the year 2000. Although it is a typical variable in the gravity literature, for the countries in this sample there are no colonial relationships as defined by Rose (2000).

The tariff variable is taken from the Economic Freedom of the World 2004 Annual Report, published by the Fraser Institute and made available at <http://www.fraserinstitute.org>. It is constructed using data from component 4A,

"Taxes on international trade." This component combines the tariff revenue as a percentage of exports and imports, the mean tariff rate, and the standard deviation of tariff rates. The report gives a rating on a scale from 0 to 10, where 10 is given for the combination of low tariff revenue, a low mean tariff rate, and a low standard deviation. Bilateral observations for two countries are constructed by multiplying the single-country ratings and then taking natural logarithms. To make the coefficients in the regressions more intuitive, the logarithms are multiplied by  $(-1)$  such that higher values indicate higher tariff rates. Tariff data that are specifically bilateral are difficult to obtain for many countries over several years (see Anderson and van Wincoop 2004, section 2).

**TABLE A1**  
The Trade Cost Measure for the Full Sample, 1970–2000

	Tariff Equivalent $\tau_{ij}$ in %										Average			
	Canada	Denmark	Finland	France	Germany	Italy	Japan	Korea	Mexico	Norway		Sweden	UK	USA
1970	131	133	170	133	102	128	144	246	210	141	118	109	108	<b>144</b>
1971	129	131	167	132	102	130	144	227	215	136	119	107	108	<b>142</b>
1972	128	127	162	129	101	128	140	207	210	129	115	104	107	<b>137</b>
1973	126	120	153	124	98	127	133	188	201	127	109	101	106	<b>132</b>
1974	124	120	153	122	95	123	131	188	189	125	106	99	104	<b>129</b>
1975	126	119	149	120	96	126	135	184	209	131	110	99	105	<b>131</b>
1976	125	119	144	117	94	123	131	170	189	118	109	98	105	<b>126</b>
1977	126	118	141	115	94	123	131	153	189	110	107	97	103	<b>124</b>
1978	127	115	133	114	92	121	129	145	189	121	106	96	102	<b>122</b>
1979	124	112	134	112	89	118	129	150	180	116	104	95	100	<b>120</b>
1980	122	116	132	109	88	118	127	156	180	121	104	96	98	<b>121</b>
1981	119	110	127	107	88	119	123	144	161	111	102	92	97	<b>115</b>
1982	120	111	127	107	86	115	122	139	162	118	103	89	97	<b>115</b>
1983	120	106	129	104	86	116	121	136	162	109	101	90	96	<b>113</b>
1984	117	106	127	103	84	113	117	133	169	106	99	88	93	<b>112</b>
1985	116	106	124	101	82	111	116	132	171	109	98	87	92	<b>111</b>
1986	116	106	126	101	81	110	116	130	176	111	98	88	92	<b>112</b>
1987	114	105	122	98	81	110	114	125	175	114	98	86	92	<b>110</b>
1988	112	104	122	97	81	109	113	125	173	111	97	87	90	<b>109</b>
1989	111	104	122	96	80	107	112	130	171	109	96	86	88	<b>109</b>
1990	113	102	124	95	79	105	111	125	169	106	95	85	87	<b>108</b>
1991	112	99	124	94	79	105	113	124	162	103	95	85	87	<b>106</b>
1992	111	97	122	94	80	105	113	127	163	105	96	85	87	<b>107</b>
1993	112	99	120	96	80	106	114	129	167	106	96	84	86	<b>107</b>
1994	110	98	114	93	78	102	111	125	158	103	93	83	85	<b>104</b>
1995	106	100	114	92	76	98	110	119	158	102	91	80	83	<b>102</b>
1996	109	99	113	93	76	99	109	119	154	97	91	79	81	<b>101</b>
1997	104	92	108	89	73	96	107	115	149	97	86	77	80	<b>98</b>
1998	105	92	109	88	72	96	107	115	148	96	87	77	79	<b>98</b>
1999	103	88	105	87	71	96	106	113	144	97	86	76	78	<b>96</b>
2000	101	87	103	85	69	93	105	111	139	93	85	73	76	<b>94</b>
<b>Average</b>	<b>117</b>	<b>108</b>	<b>130</b>	<b>105</b>	<b>85</b>	<b>112</b>	<b>120</b>	<b>146</b>	<b>174</b>	<b>112</b>	<b>100</b>	<b>90</b>	<b>93</b>	<b>115</b>

*Notes:* The values are based on the bilateral trade cost measure  $\tau_{ij}$  averaged across trading partners. The values in bold are averages of the respective columns or rows. All values are in percent and rounded off to integers.

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